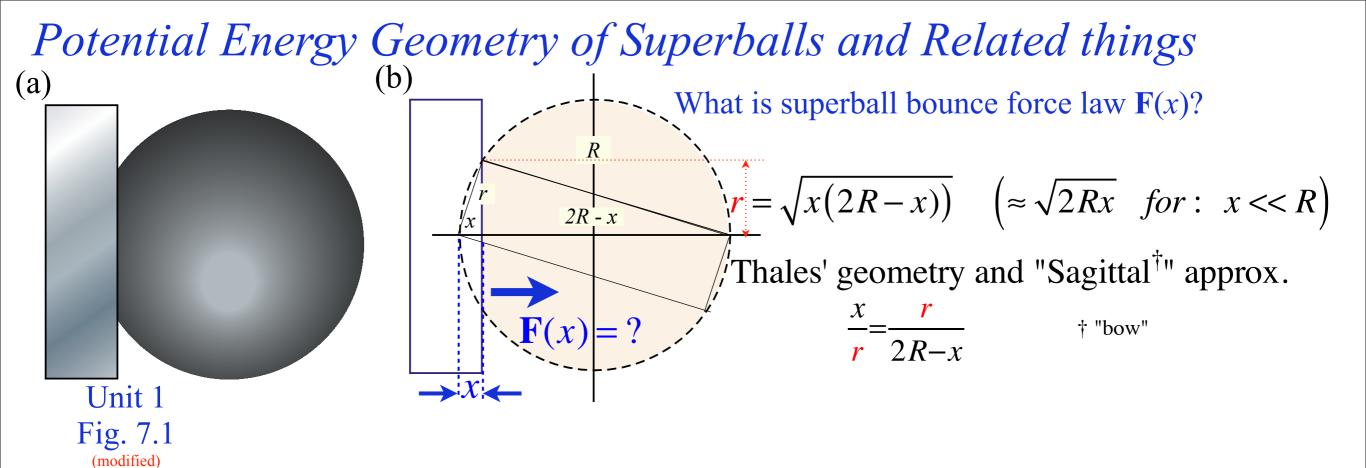
Lecture 5

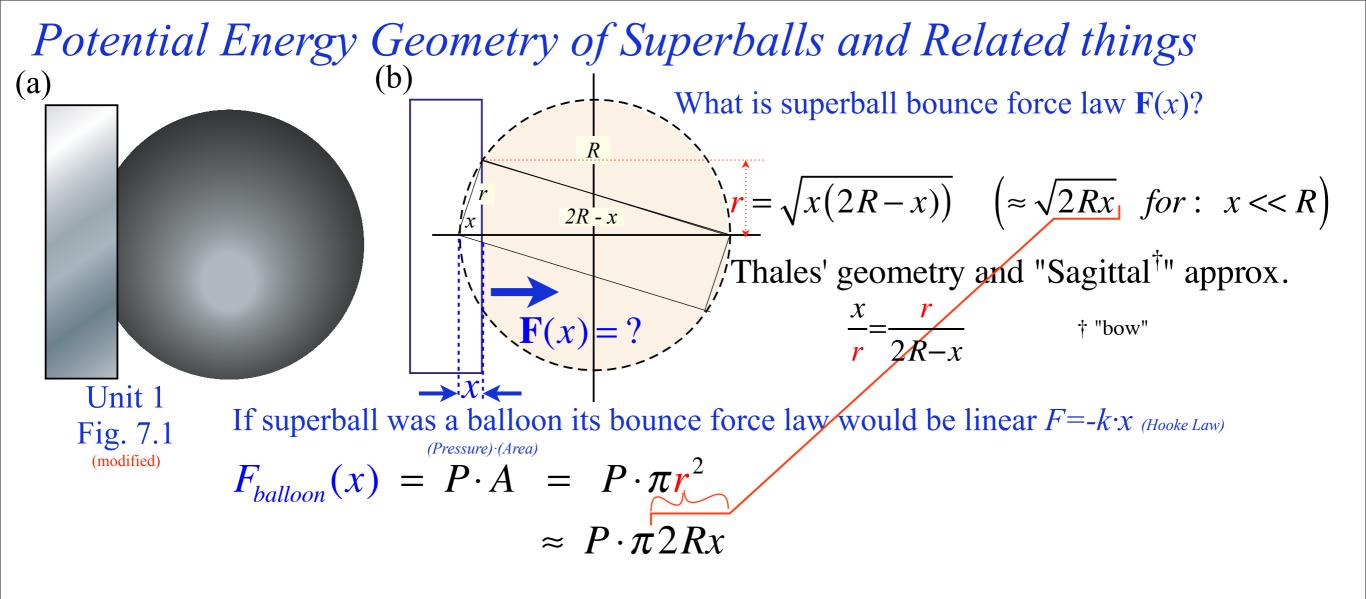
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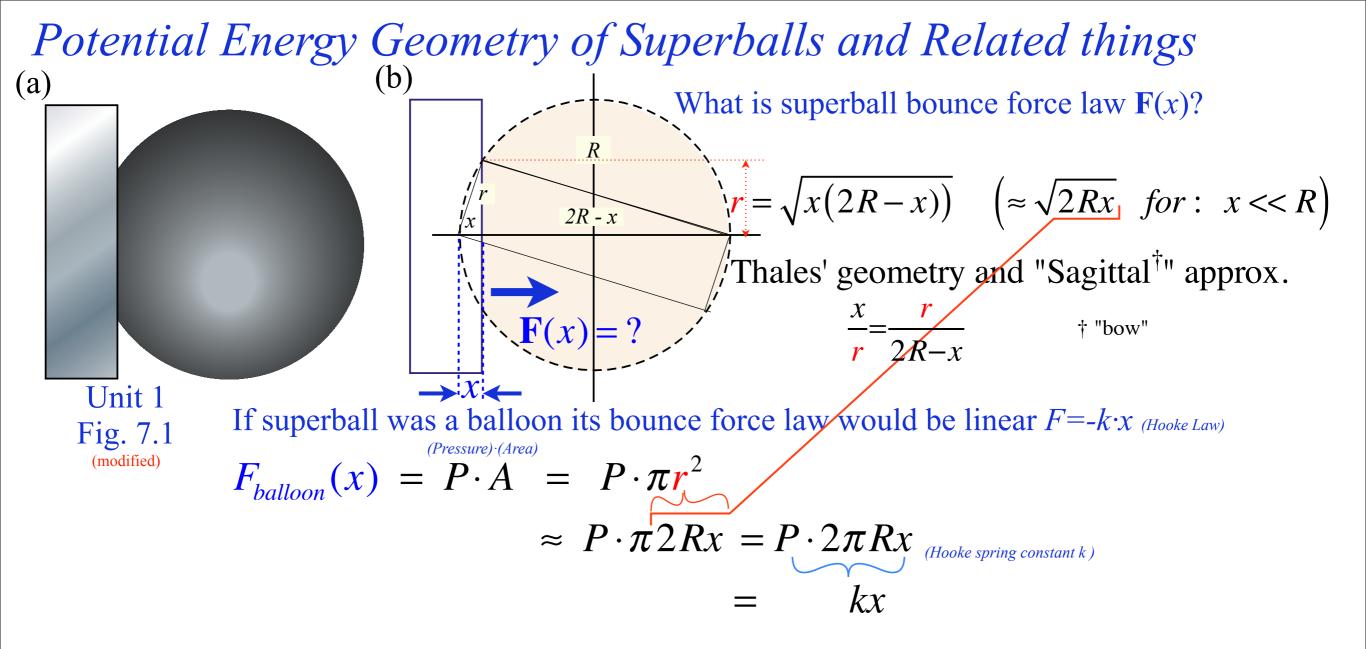
Dynamics of Potentials and Force Fields (Ch. 7 and part of Ch. 8 of Unit 1) Potential energy dynamics of Superballs and related things Thales geometry and "Sagittal approximation" to superball force law Geometry and dynamics of single ball bounce (a) Constant force F = -k (linear potential V = kx) Some physics of dare-devil diving 80 ft. into kidee pool (b) Linear force F = -kx (quadratic potential $V = \frac{1}{2}kx^2$ (like balloon)) (c) Non-linear force (like superball-floor or ball-bearing-anvil) Geometry and potential dynamics of 2-ball bounce A parable of RumpCo. vs CrapCorp. (introducing 3-mass potential-driven dynamics) A story of USC pre-meds visiting Whammo Manufacturing Co. Geometry and dynamics of n-ball bounces Analogy with shockwave and acoustical horn amplifier Advantages of a geometric m_1, m_2, m_3, \dots series A story of Stirling Colgate (Palmolive) and core-collapse supernovae Many-body 1D collisions Elastic examples: Western buckboard Bouncing columns and Newton's cradle *Inelastic examples: "Zig-zag geometry" of freeway crashes* Super-elastic examples: This really is "Rocket-Science"

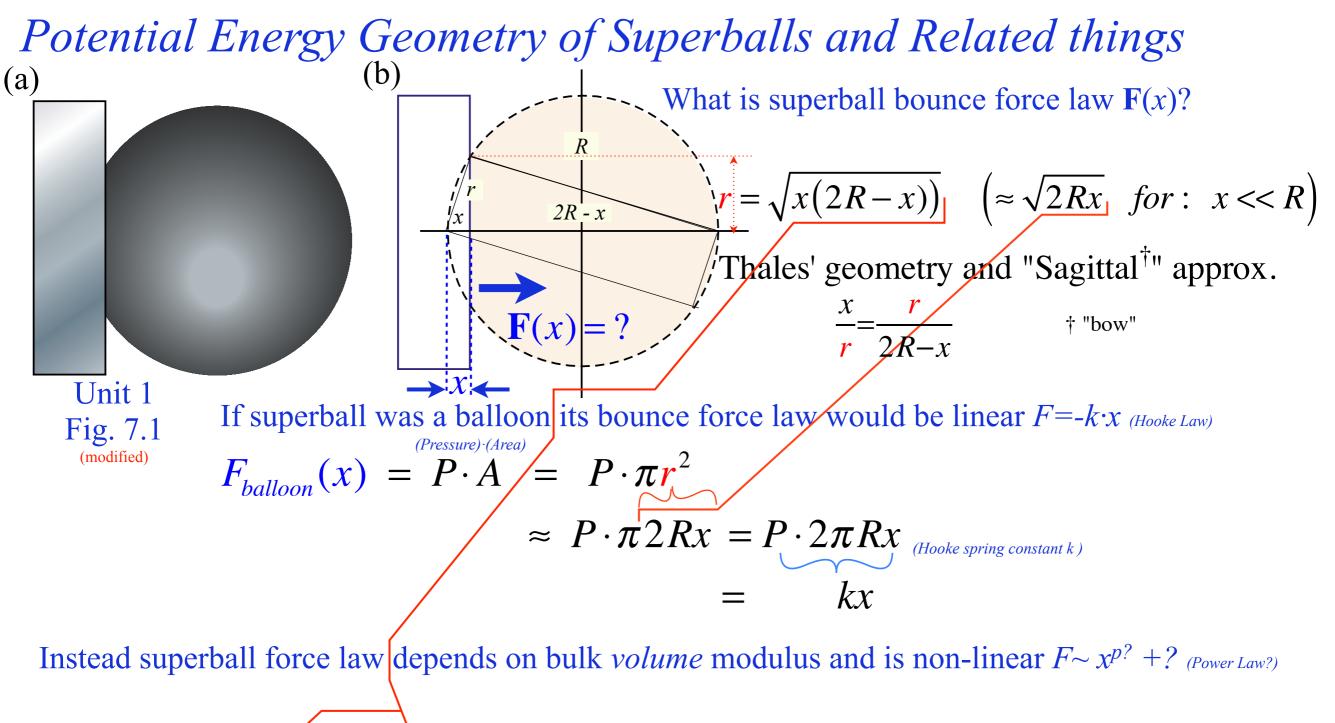
Potential energy dynamics of Superballs and related things *Thales geometry and "Sagittal approximation" to force law* Geometry and dynamics of single ball bounce General Non-linear force (like superball-floor or ball-bearing-anvil) Constant force F = -k (linear potential V = kx) Some physics of dare-devil-diving 80 ft. into kidee pool *Linear force* F = -kx (quadratic potential $V = \frac{1}{2}kx^2$ (like balloon)) Geometry and potential dynamics of 2-ball bounce *Geometry and dynamics of n-ball bounces* Many-body 1D collisions

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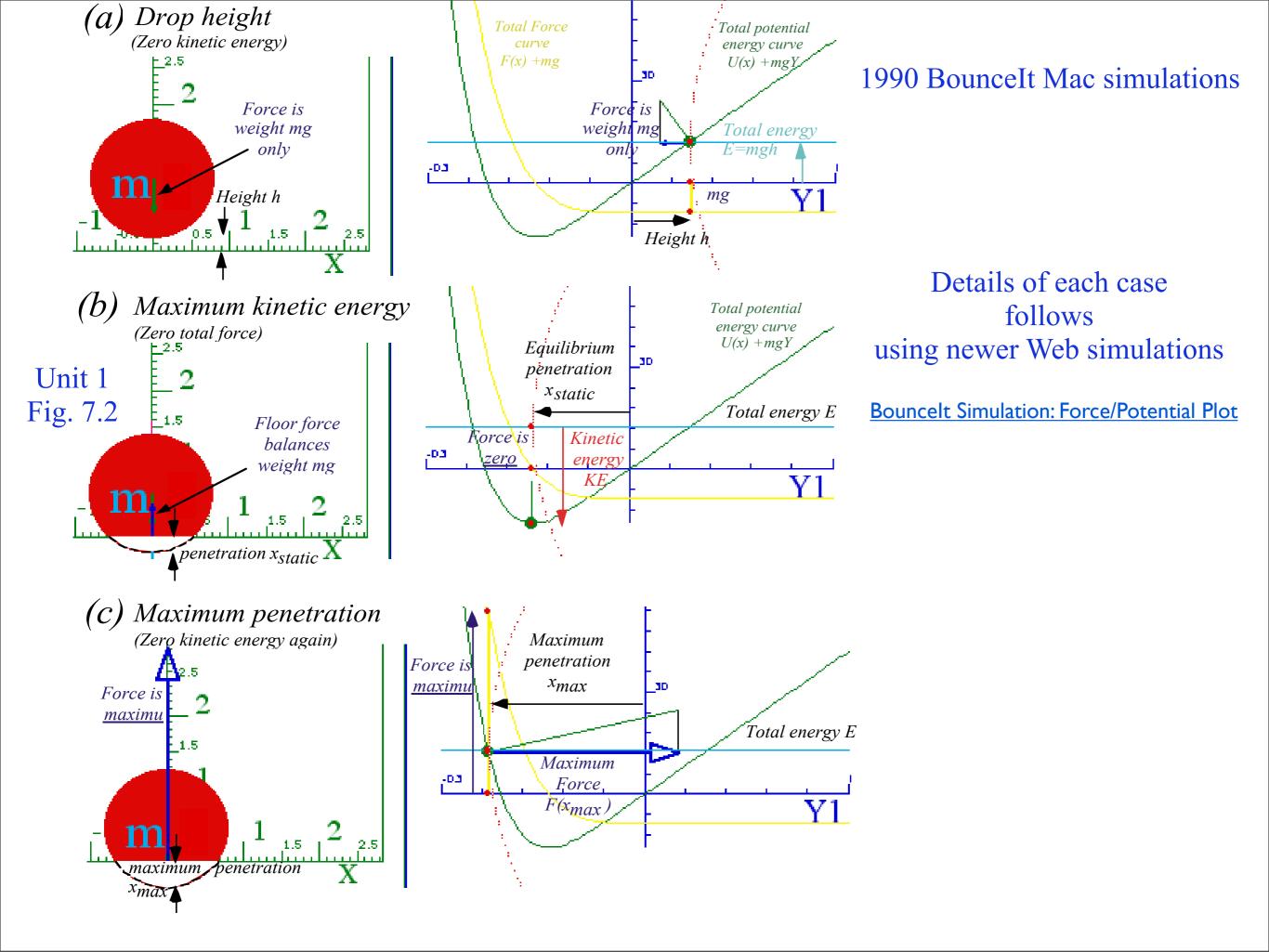
 $Volume(X) = \int_0^X \pi r^2 \, dx = \int_0^X \pi x (2R - x) \, dx$

It also depends on velocity $\dot{x} = \frac{dx}{dt}$. Adiabatic differs from Isothermal as shown by "Project-Ball*"

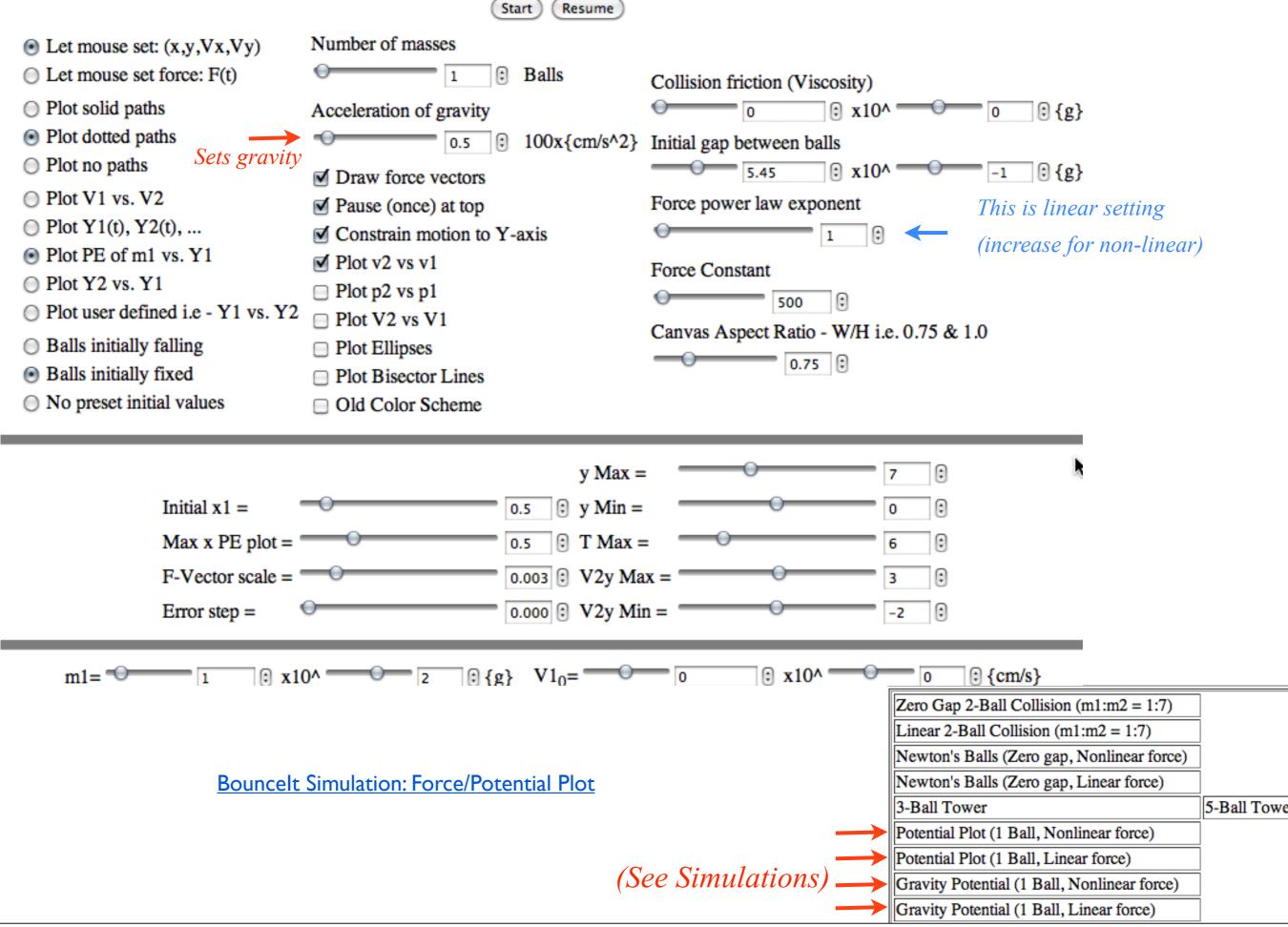
* <u>Am. J. Phys. 39, 656 (1971)</u>

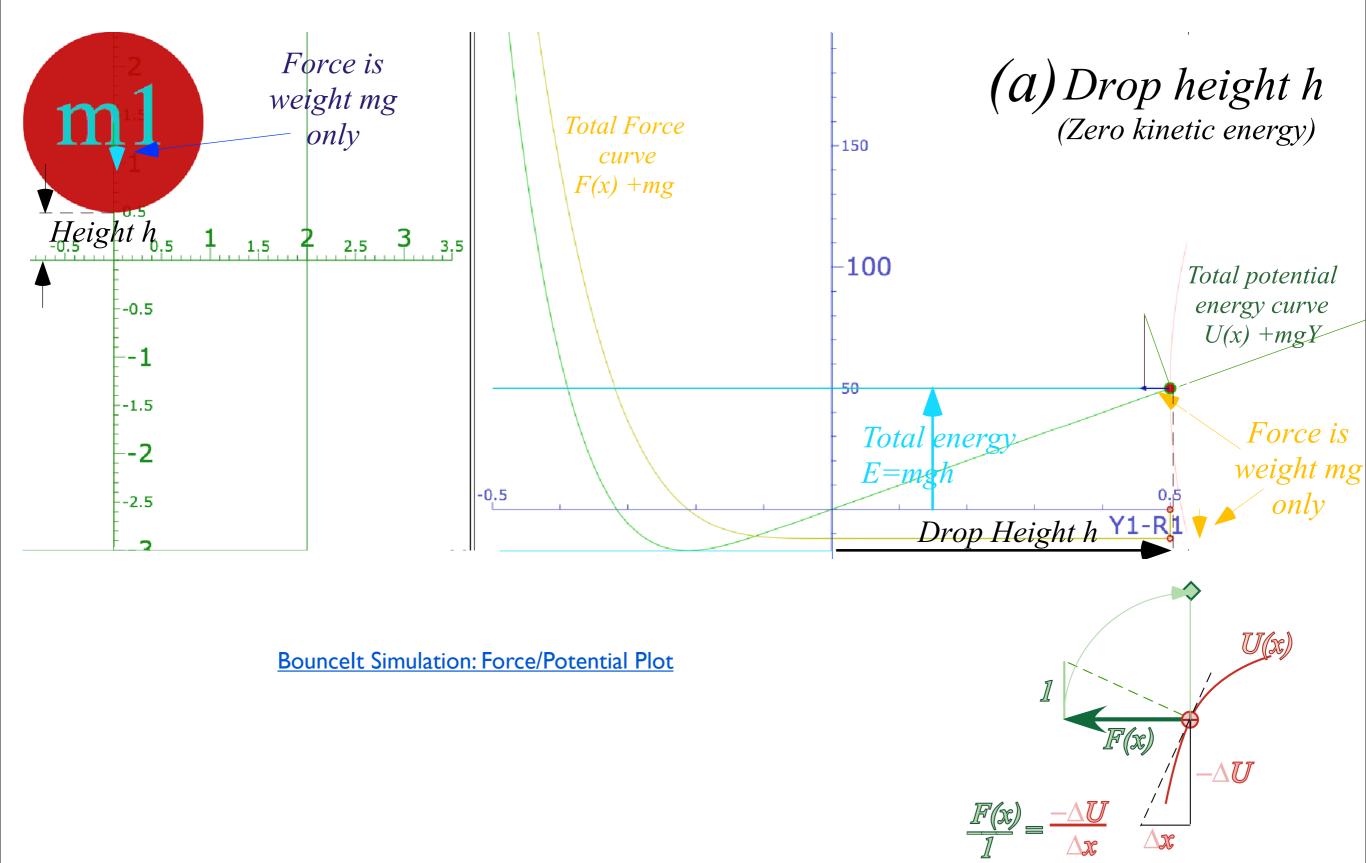
(Discussed after p. 33)

Potential energy dynamics of Superballs and related things Thales geometry and "Sagittal approximation" to force law Geometry and dynamics of single ball bounce General Non-linear force (like superball-floor or ball-bearing-anvil) Constant force F = -k (linear potential V = kx) Some physics of dare-devil-diving 80 ft. into kidee pool *Linear force* F = -kx (quadratic potential $V = \frac{1}{2}kx^2$ (like balloon)) Geometry and potential dynamics of 2-ball bounce *Geometry and dynamics of n-ball bounces* Many-body 1D collisions Super-elastic examples: This really is "Rocket-Science"

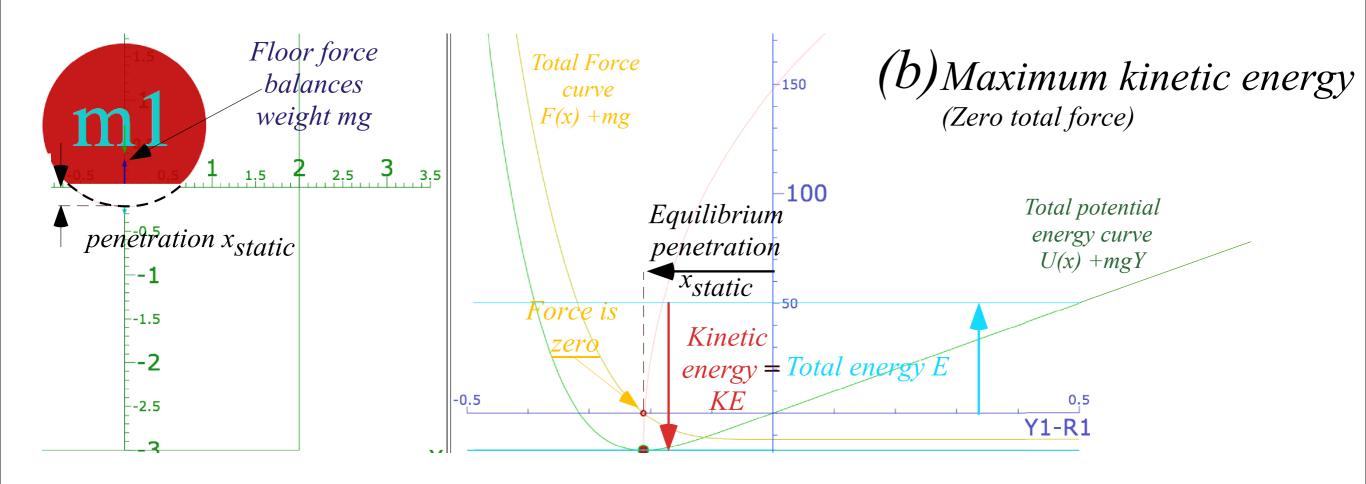


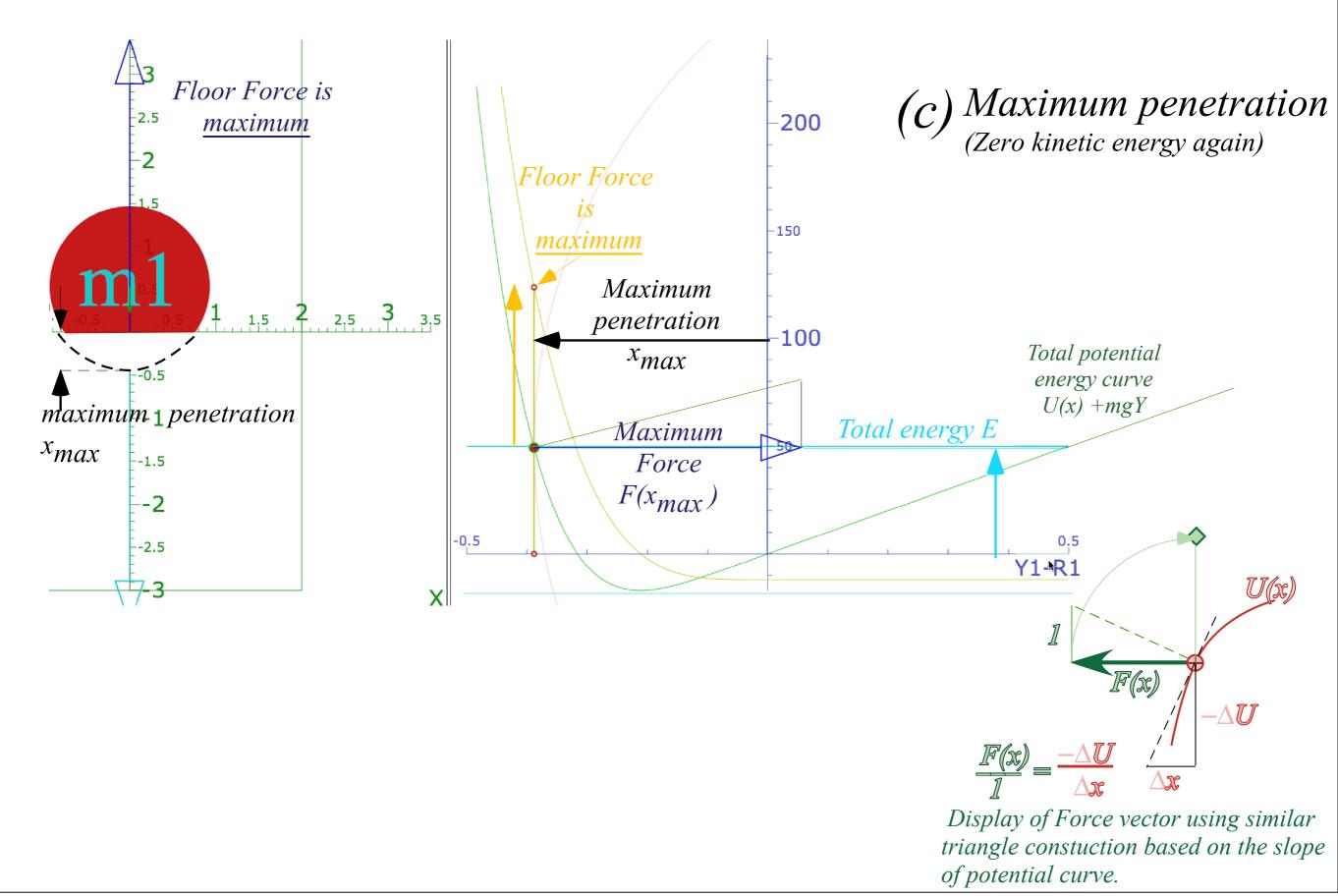


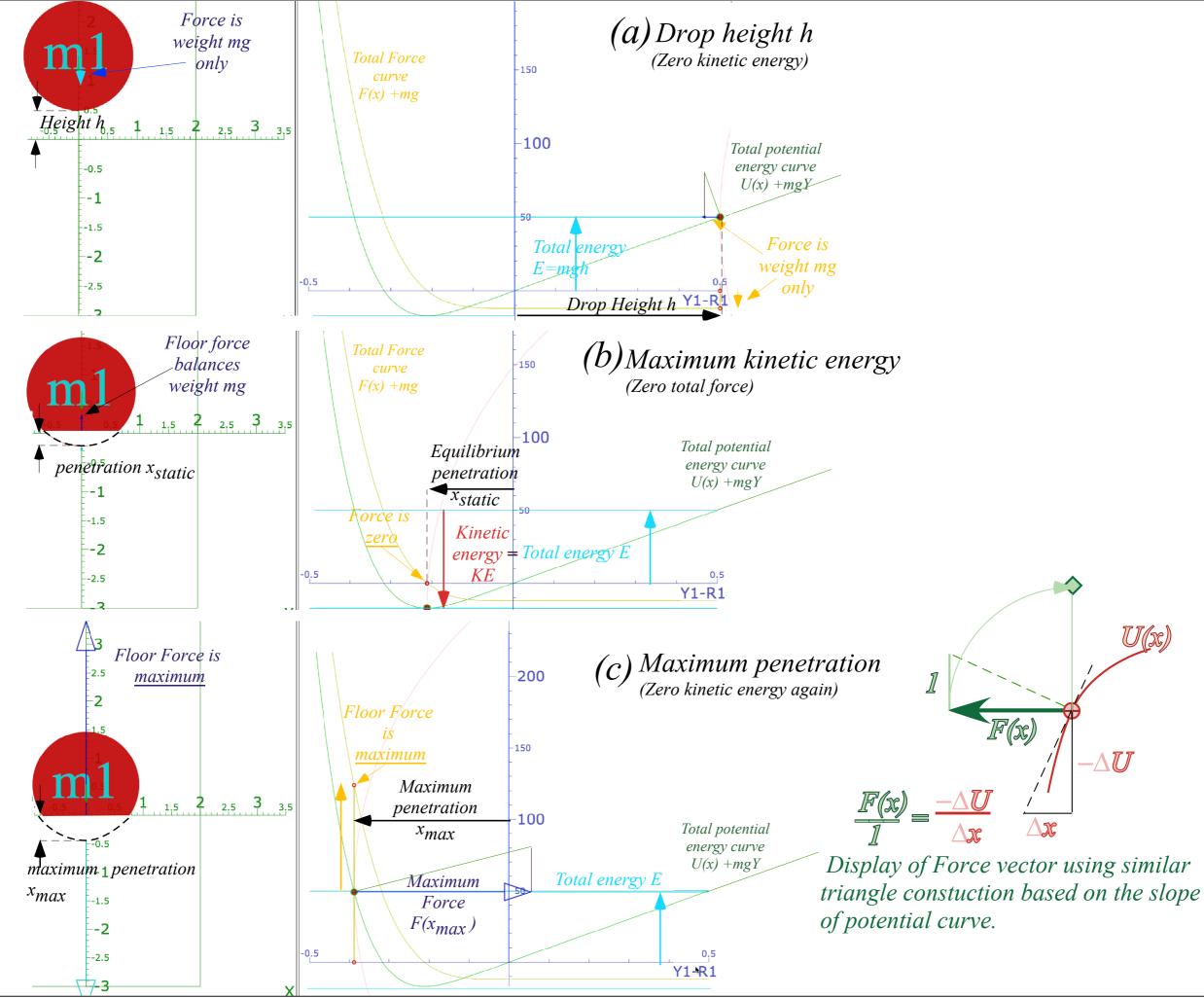




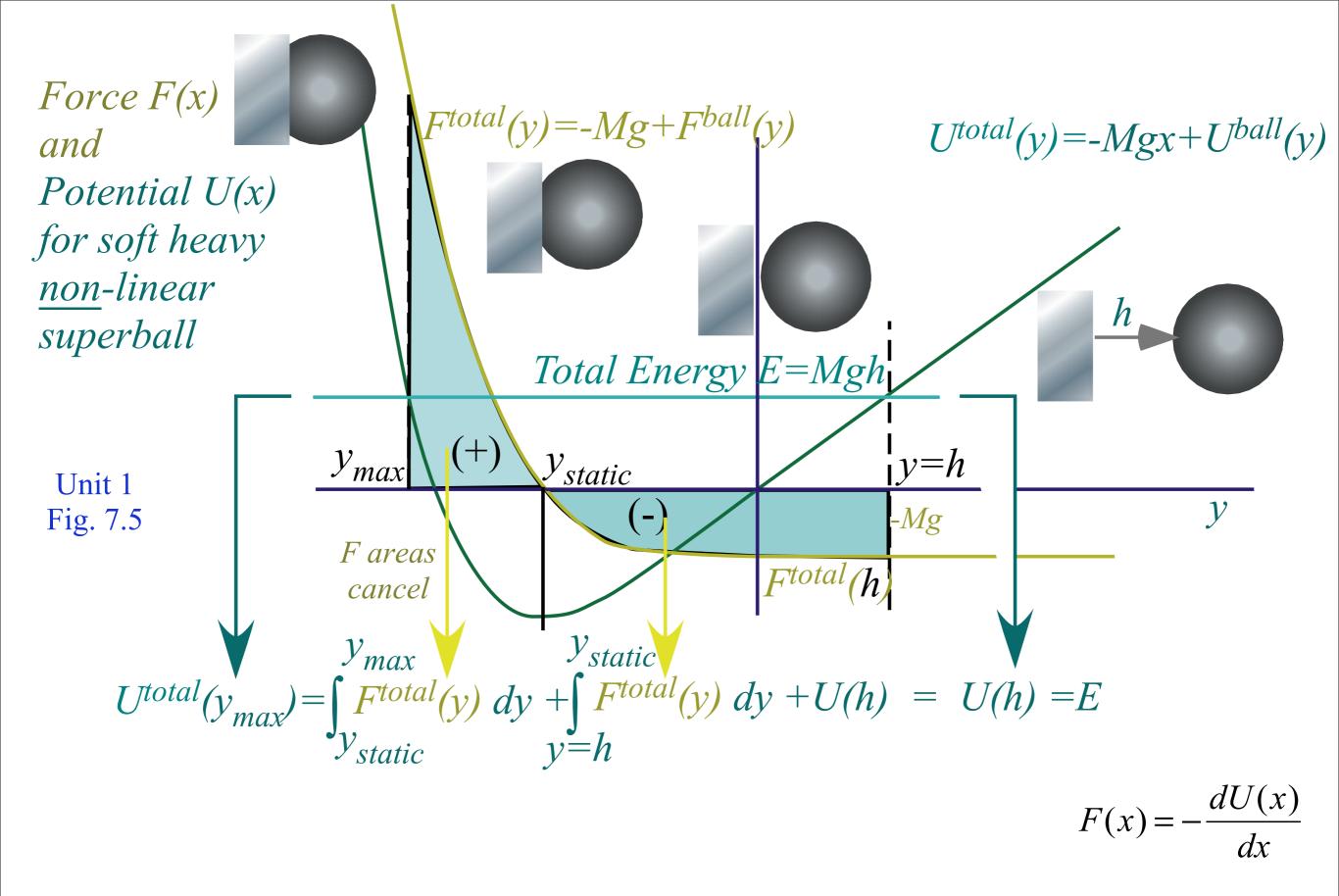
Display of Force vector using similar triangle constuction based on the slope of potential curve.

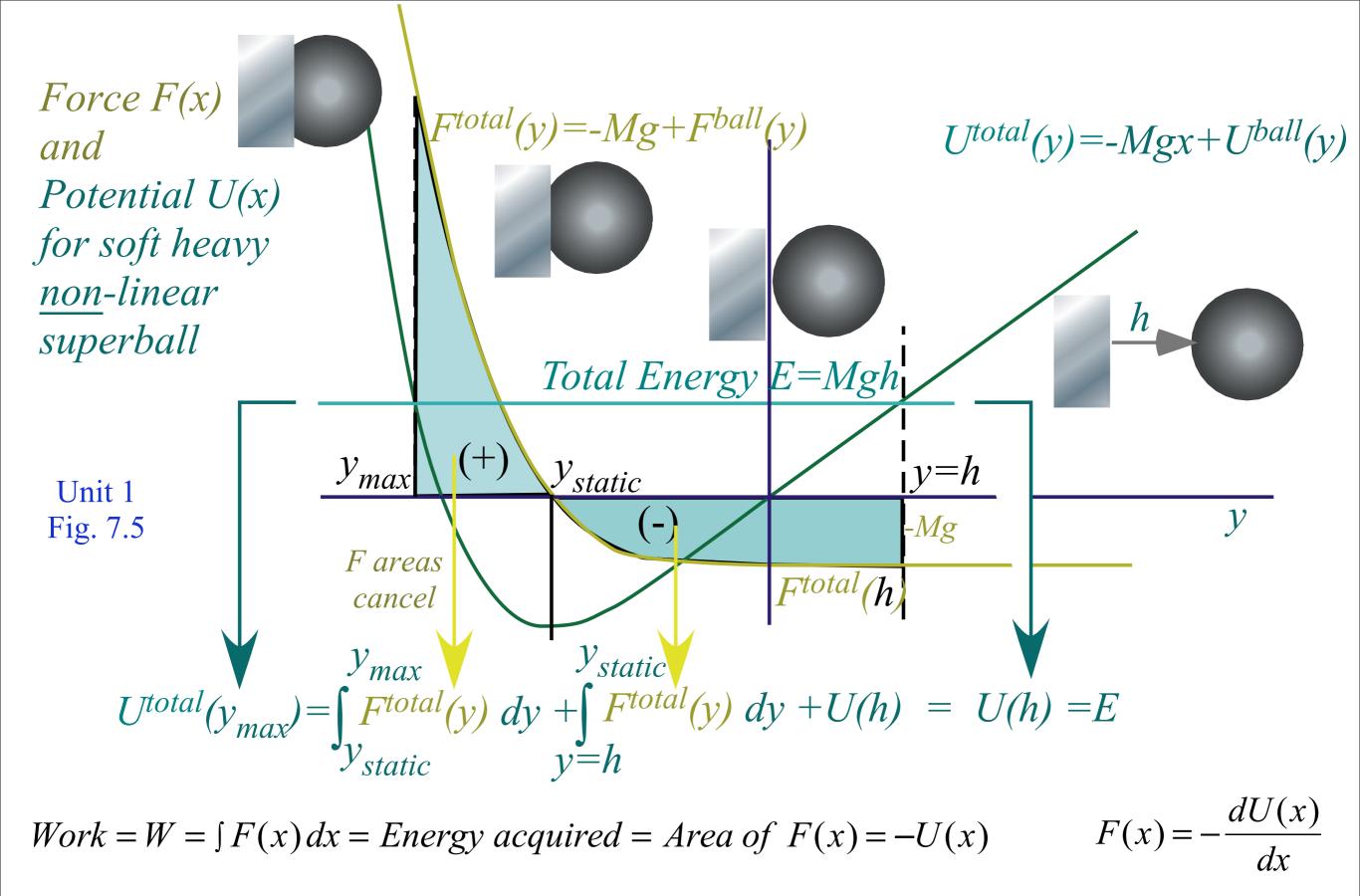


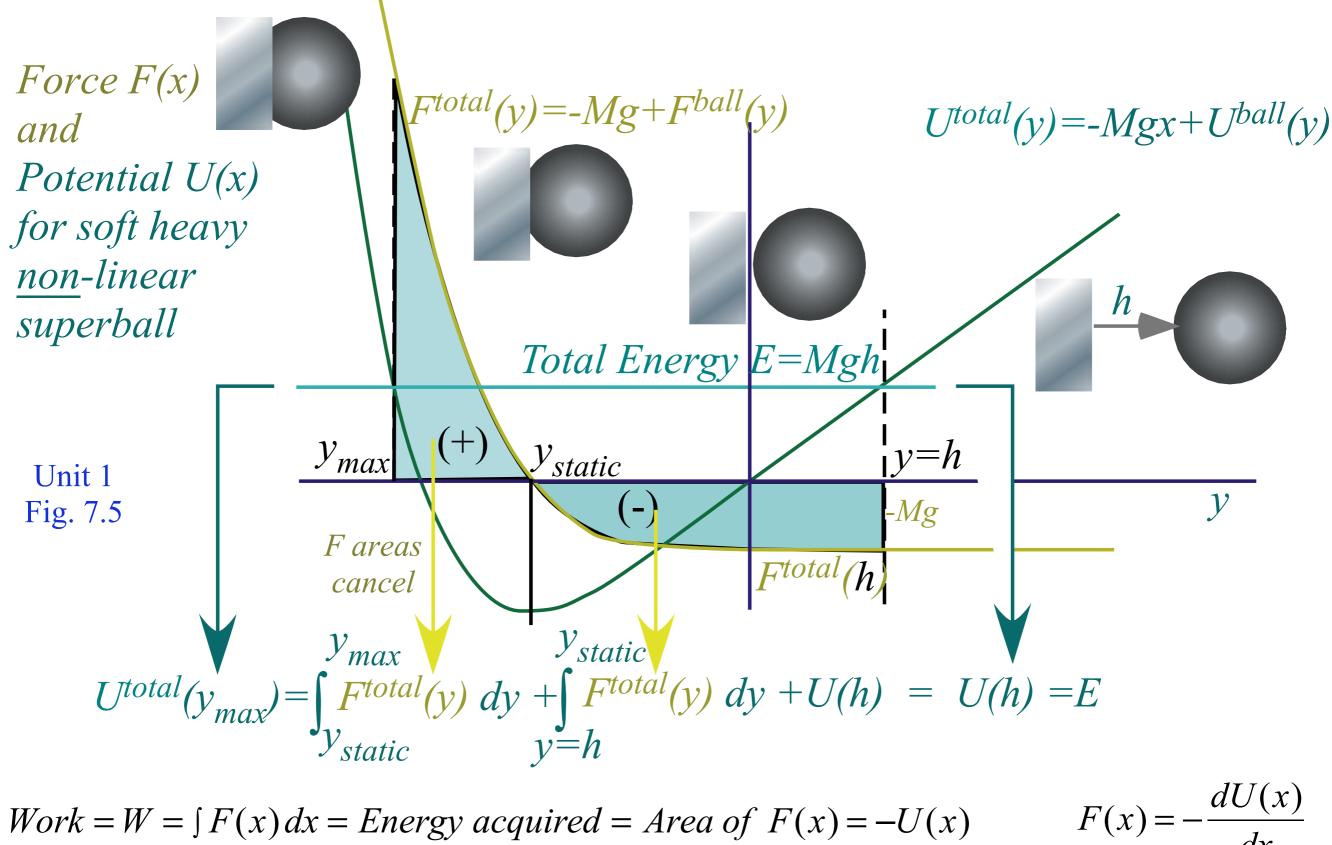




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Work = $W = \int F(x) dx$ = *Energy acquired* = *Area of* F(x) = -U(x)

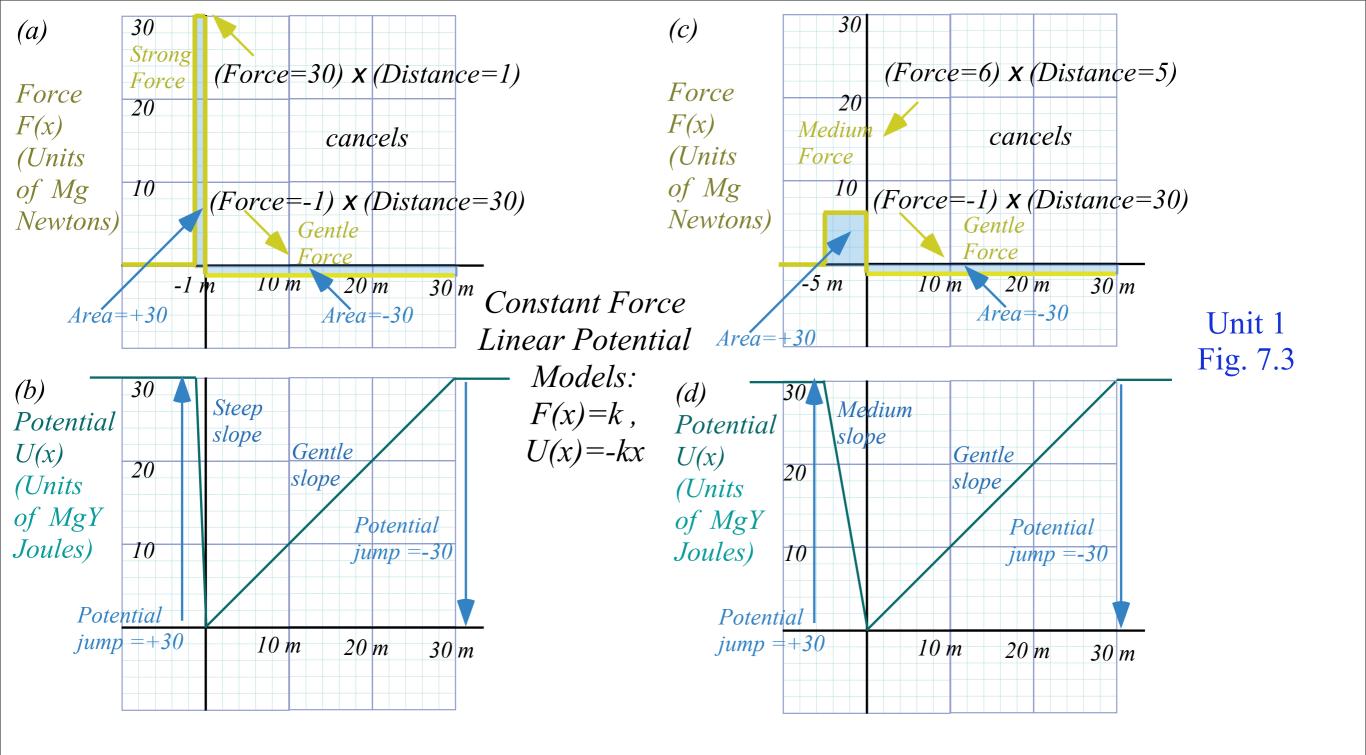
Impulse =
$$P = \int F(t) dt = Momentum \ acquired = Area \ of \ F(t) = P(t)$$
 $F(t) = \frac{dP(t)}{dt}$

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Super-elastic examples: This really is "Rocket-Science"

Main Control Panel

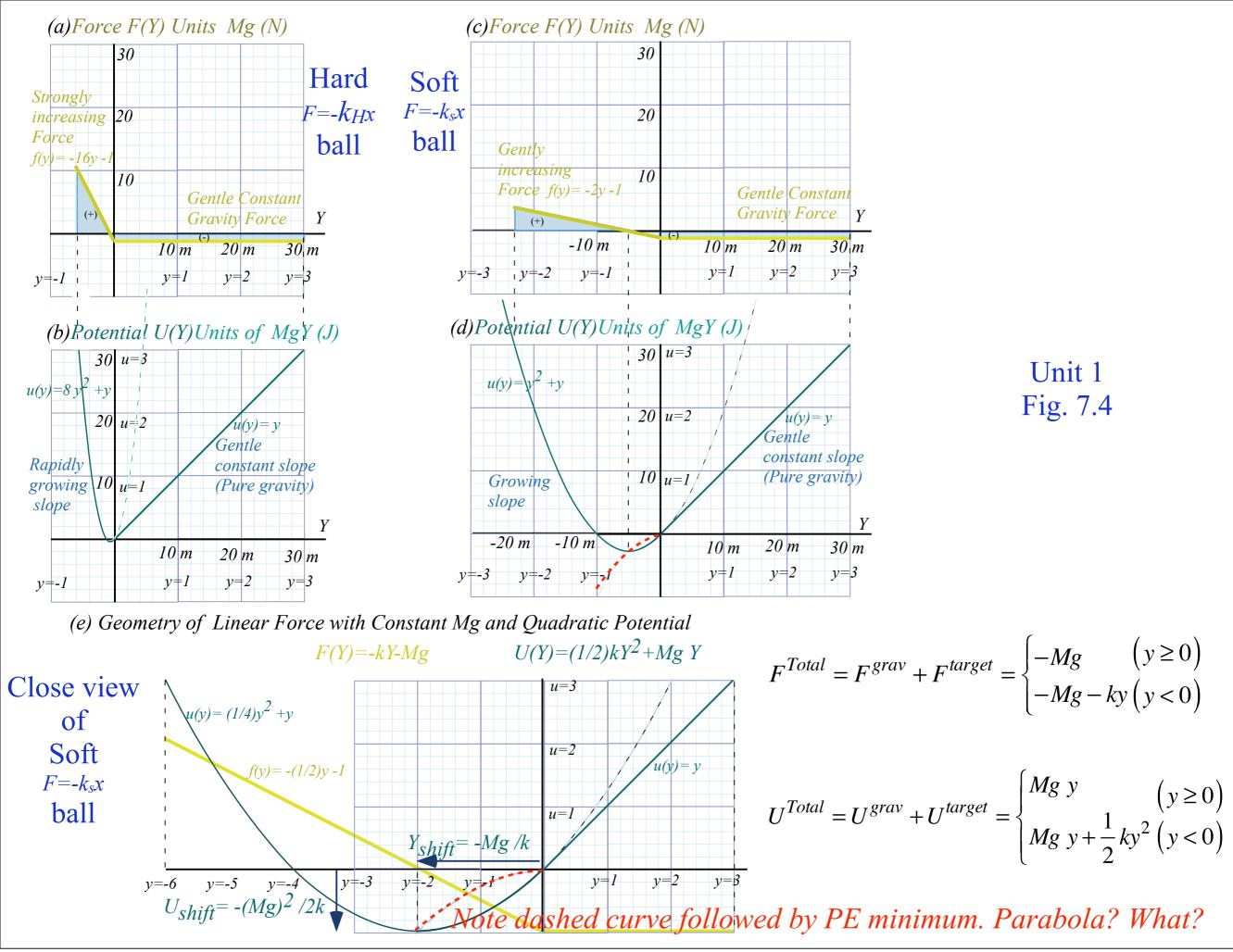
Start Resume	
Let mouse set: (x,y,Vx,Vy) Number of masses	
○ Let mouse set force: F(t)	Collision friction (Viscosity)
 Plot solid paths Acceleration of gravity 	$\bigcirc \qquad 0 \qquad \bigcirc \qquad x10^{\wedge} \qquad \bigcirc \qquad 0 \qquad \bigcirc \qquad \{g\}$
Dist detted paths	
Plot no paths Sets gravity	
Plot V1 vs. V2	
Diet V1(t) V2(t)	Force power law exponent This is linear setting
Diet DE of m1 va V1	(increase for non-linear)
Plot V2 vs V1	Force Constant
$\bigcirc Plot 12 vs. 11 \\ \bigcirc Plot user defined i.e - Y1 vs. Y2 \\ \bigcirc Plot V2 vs V1 \\ \bigcirc Plot $	500
 Balls initially falling Plot Ellipses 	Canvas Aspect Ratio - W/H i.e. 0.75 & 1.0
Balls initially fixed Plot Bisector Lines	0.75 🕄
No preset initial values Old Color Scheme	
u Mar	
y Max	
Initial $x1 = 0.5$ (i) y Min	= o 🔅
Max x PE plot = 0.5 T Max	6 0
F-Vector scale = 0.003 V2y N	fax = 3 😳
Error step = \bigcirc 0.000 \bigcirc V2y N	lin = -2 🕄
$m1 = \underbrace{0}_{1} \oplus x10^{-1} \underbrace{0}_{2} \oplus \{g\} V1_{0} = \underbrace{0}_{0} \oplus x10^{-1} \underbrace{0}_{0} \oplus \{cm/s\}$	
	Zero Gap 2-Ball Collision (m1:m2 = 1:7)
	Linear 2-Ball Collision (m1:m2 = 1:7)
	Newton's Balls (Zero gap, Nonlinear force)
	Newton's Balls (Zero gap, Linear force)
	3-Ball Tower 5-Ball Towe
	Potential Plot (1 Ball, Nonlinear force)
	Potential Plot (1 Ball, Linear force)
http://www.uark.edu/ua/modphys/markup/BounceltWeb.html	See Simulations) Gravity Potential (1 Ball, Nonlinear force) Gravity Potential (1 Ball, Linear force)
	Plavity Fotential (1 Ball, Ellical loice)



Work =
$$W = \int F(x) dx$$
 = Energy acquired = Area of $F(x) = -U(x)$ $F(x) = -\frac{dU(x)}{dx}$

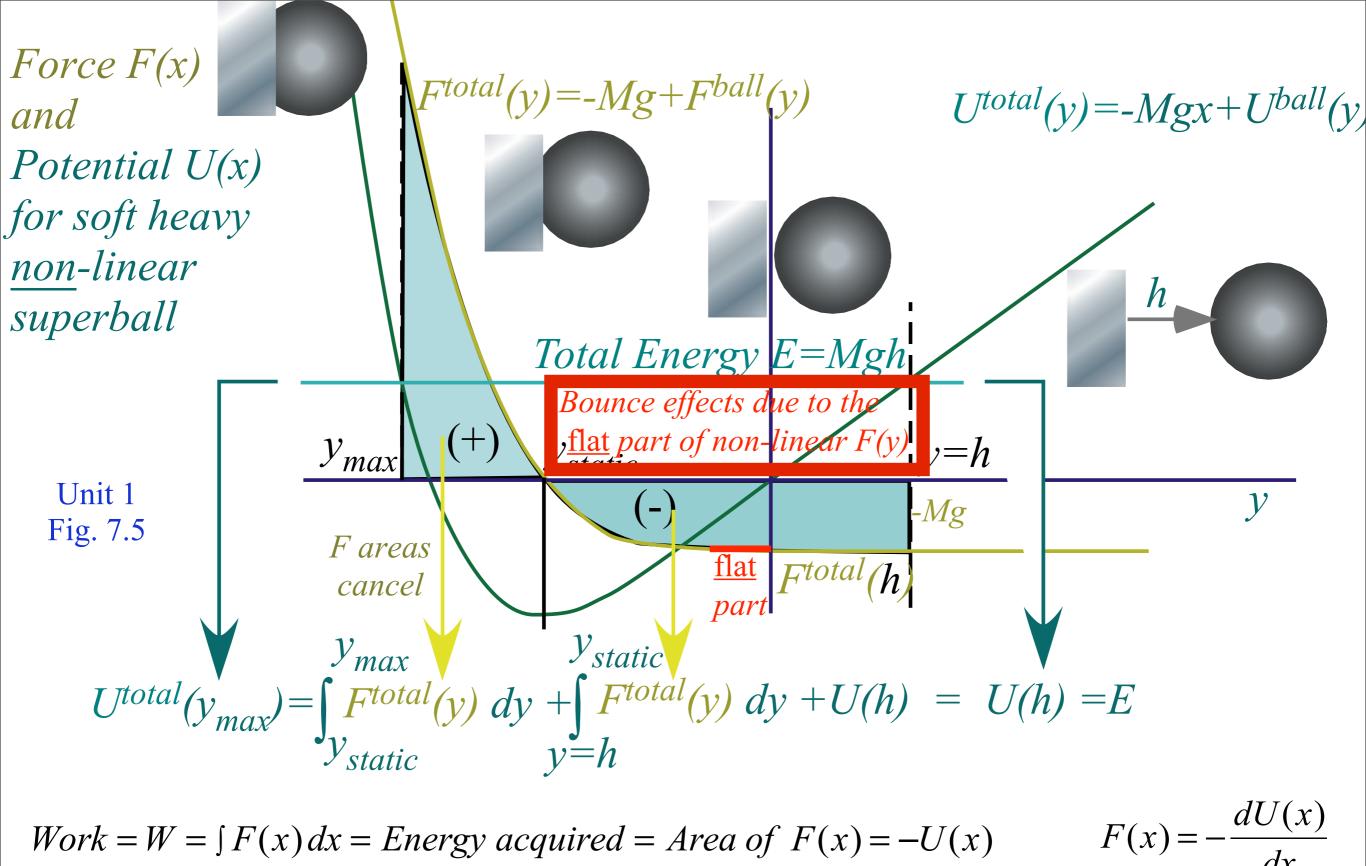
Impulse = $P = \int F(t) dt = Momentum \ acquired = Area \ of \ F(t) = P(t)$ $F(t) = \frac{dP(t)}{dt}$

Potential energy dynamics of Superballs and related things Thales geometry and "Sagittal approximation" to force law Geometry and dynamics of single ball bounce General Non-linear force (like superball-floor or ball-bearing-anvil) Constant force F = -k (linear potential V = kx) (Simulations) Some physics of dare-devil-diving 80 ft. into kidee pool Linear force F = -kx (quadratic potential $V = \frac{1}{2}kx^2$ (like balloon)) Geometry and potential dynamics of 2-ball bounce *Geometry and dynamics of n-ball bounces* Many-body 1D collisions



Tuesday, September 8, 2015

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 Potential energy dynamics of Superballs and related things

 Thales geometry and "Sagittal approximation" to force law
 Geometry and dynamics of single ball bounce

 Geometry and dynamics of single ball bounce
 General Non-linear force (like superball-floor or ball-bearing-anvil)

 Constant force F=-k (linear potential V=kx)
 (Simulations)

 Some physics of dare-devil-diving 80 ft. into kidee pool
 Linear force F=-kx (quadratic potential V=½kx² (like balloon))

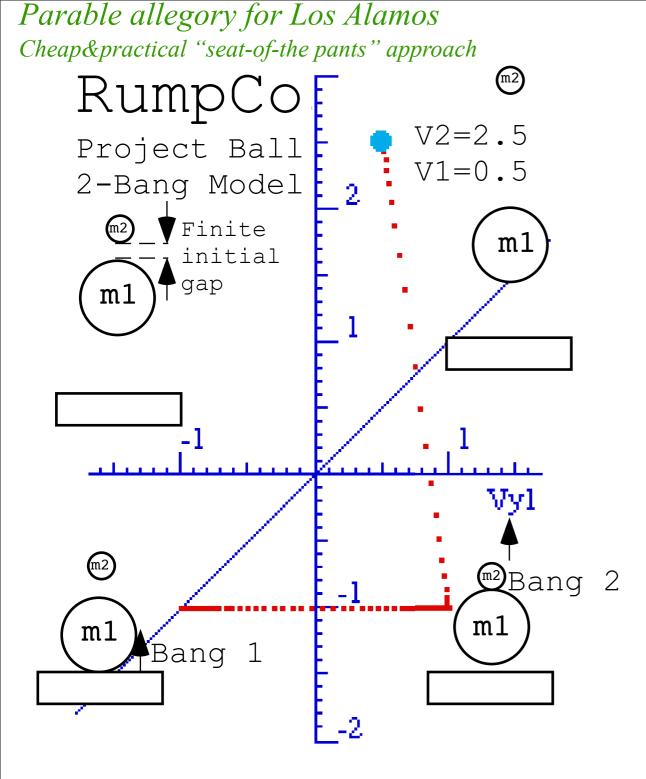
 Geometry and potential dynamics of 2-ball bounce
 A parable of RumpCo. vs CrapCorp. (introducing 3-mass potential-driven dynamics)

Parable allegory for Los Alamos Cheap&practical "seat-of-the pants" approach

Parable allegory for Livermore ch Fancy&overpriced "political" approach

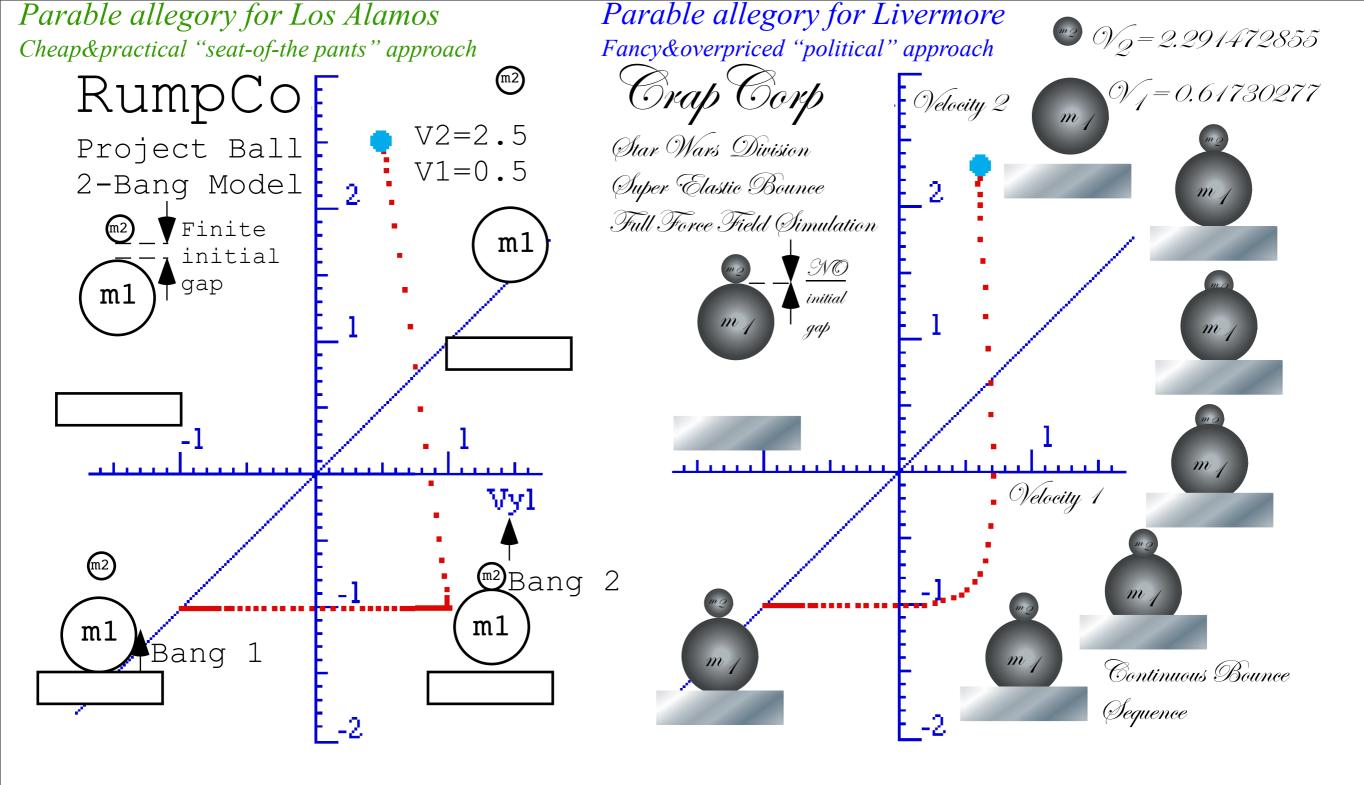
Advantages of a geometric m1, m2, m3, ... series A story of Stirling Colgate (Palmolive) and core-collapse supernovae Many-body 1D collisions

Elastic examples: Western buckboard Bouncing columns and Newton's cradle Inelastic examples: "Zig-zag geometry" of freeway crashes Super-elastic examples: This really is "Rocket-Science"



Velocity amplification or "throw" factor =2.5

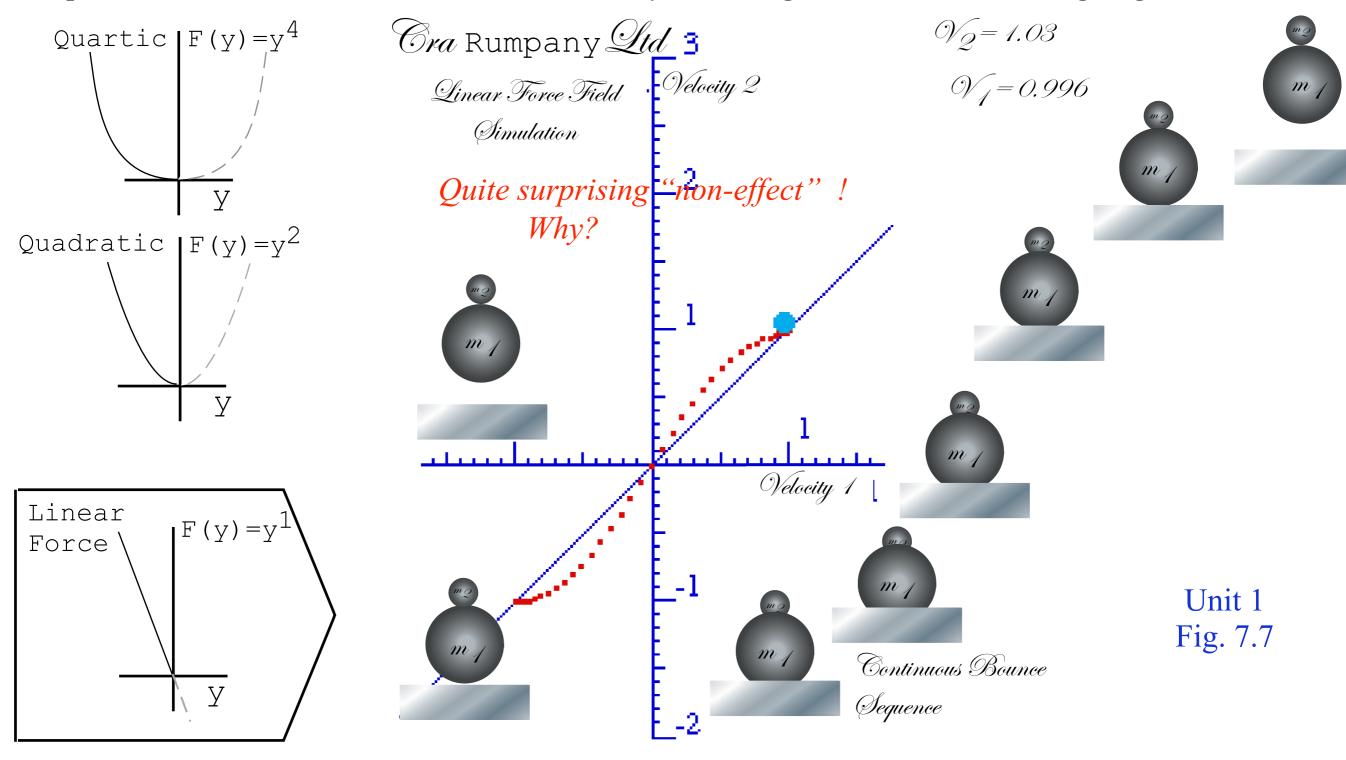
> Unit 1 Fig. 7.6



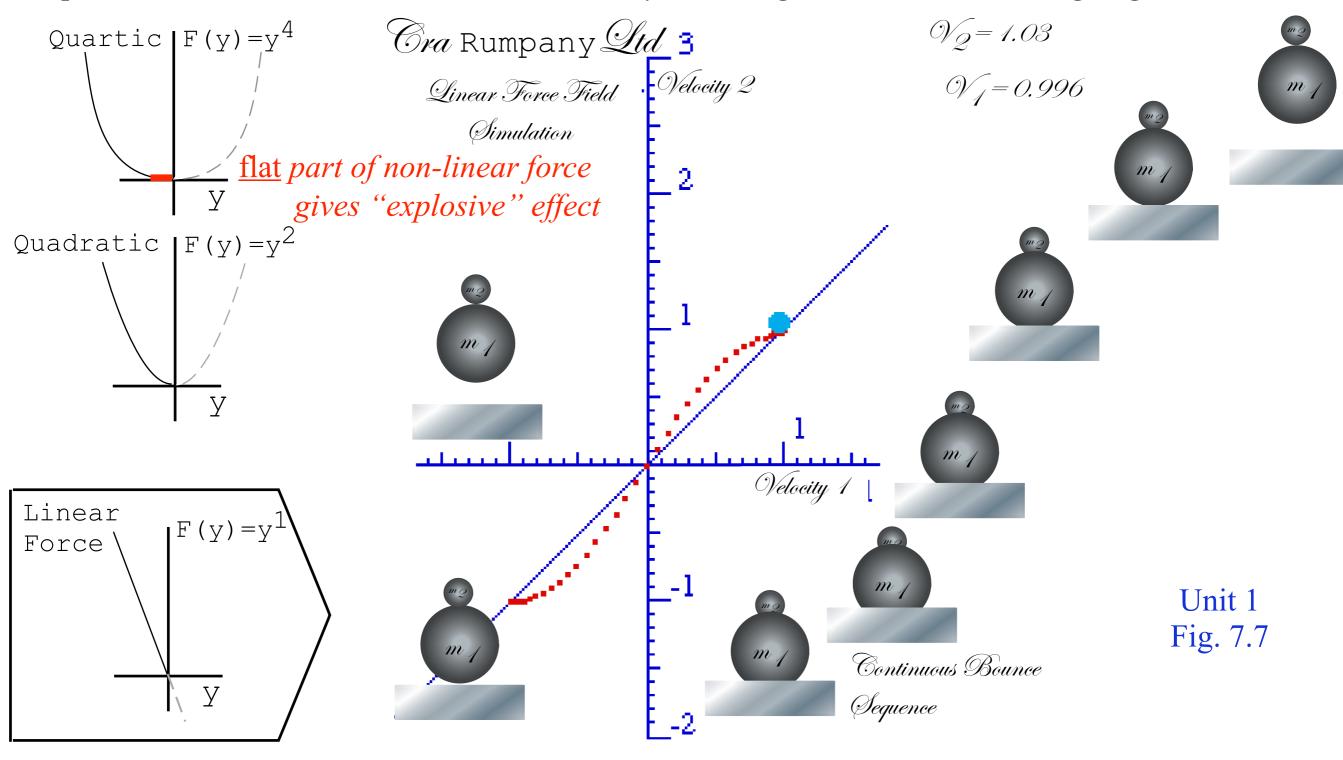
Velocity amplification or "throw" factor =2.5

> Unit 1 Fig. 7.6

Velocity amplification or "throw" factor =2.3 (about equal to RumpCo finite gap experiment) Cooperation between Los Alamos and Livermore yields insight to answer "What's going on?"



Cooperation between Los Alamos and Livermore yields insight to answer "What's going on?"



Velocity amplification or "throw" factor =1.03 (practically "no-throw") for linear force F(y) = ky Potential energy dynamics of Superballs and related things (Simulations) Geometry and potential dynamics of 2-ball bounce A parable of RumpCo. vs CrapCorp. (introducing 3-mass potential-driven dynamics) A story of USC pre-meds visiting Whammo Manufacturing Co. (Leads to Sagittal *Geometry and dynamics of n-ball bounces* potential analysis of 2, 3, and 4 body towers) Many-body 1D collisions

Super-elastic examples: This really is "Rocket-Science"

A story of USC pre-meds visiting Whammo Manufacturing Co.

Velocity Amplification in Collision Experiments ... and some results of "Project-Ball" **Involving Superballs**

CLASS OF WILLIAM G. HARTER*

University of Southern California Los Angeles, California 90007

(Received 25 September 1969; revised 25 September 1970)

If a pen is stuck in a hard rubber ball and dropped from a certain height, the pen may bounce to several times that height. The results of two such experiments, which can easily be duplicated in any undergraduate physics laboratory, are plotted for a range of mass ratios. A simple theoretical discussion which provides a qualitative understanding of the phenomenon is presented. A more complicated formulation which agrees very well with one of the experiments is also presented. The latter involves a simple analog computer program. Finally, an intriguing generalization of the phenomenon is considered.

* The members of the class of Dr. William G. Harter included: Calvin W. Gray, Jr., Robert C. Frickman, Brian P. Harney, Steven H. Hendrickson, Scott T. Jacks, David F. Judy, William D. Koltun, Sam C. Kaplan, Morton J. Kern, Edmund H. Kwan, Wayne E. Long, Michael E. Mason, William D. Moore, Willard W. Mosier, Gary P. Rudolf, Henry G. Rosenthal, William F. Skinner, Jay L. Stearn, Michael Weinberg, Mark Weiner, Frank J. Wilkinson, and David Willner.

ACKNOWLEDGMENT

We would like to thank John C. Fakan, John E. Heighway, and John H. Marburger for help during the initial and final stages of this project.

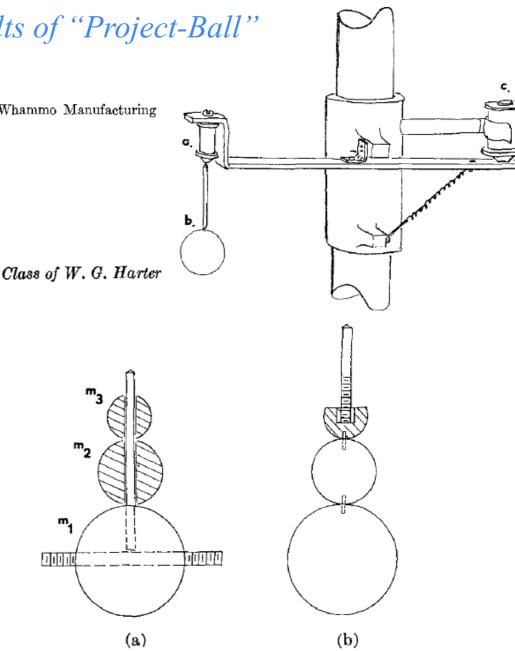
> Much later.... Lots of profs try this out... ... including the unfortunate Harvard professor M. Tinkham...

(Still trying to find the video of the Tinkham incident...)

INTRODUCTION

¹ Trade name of product by Whammo Manufacturing Co., San Gabriel, Calif.

Shortly after the well-known Superball¹ appeared on the market, one of the authors quite accidentally discovered a surprising effect.² The point of a ball point pen is imbedded in the surface of a 3-in. diam Superball, and the pen and ball are dropped from a height of 4 or 5 ft so that the pen remains above the ball and perpendicular to a hard floor below. As the ball strikes the floor, the pen may be ejected so violently that it will strike the ceiling of the average room with considerable force. Furthermore, one can adjust the mass of the pen so that the ball remains completely at rest on the floor after ejecting the pen.



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FIG. 14. Two designs for a multiple stage tower of balls. (a) Large number of balls can slide on a shaft. (b) Balls connected by small pins stand to lose appreciable amounts of binding energy.

Basketball and Tennis Ball

Dropping a tennis ball on top of a basketball causes the tennis ball to bounce very high.

Source: 8.01 Physics I: Classical Mechanics, Fall 1999 Prof. Walter Lewin

Course Material Related to This Topic:

Watch video clip from Lecture 17 (21:30 - 24:08)

http://ocw.mit.edu/high-school/physics/exam-prep/systems-of-particles-linear-momentum/impulse-and-momentum/

A story of USC pre-meds visiting Whammo Manufacturing Co.

...and some results of "Project-Ball"

After initial big NBC splash (Ray Dunkin Reports) in Fall 1968, USC mechanical engineers kindly measured super-ball force curves F(y) with their precision tensometer and let us use their analog computer to calculate precise bounce heights.

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After this things began deteriorating in Old-Physics-Rm 69 (The Project-Ball-Room)

1. The fancy-pants computer theory did not jive with the fine drop-tower experiments.

2. USC B&G decided Rm 69 needed painting and kicked us out for a week.

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Still a little sad, we return to Rm 69. Somebody drops a box of balls that immediately bounce into the wet paint.

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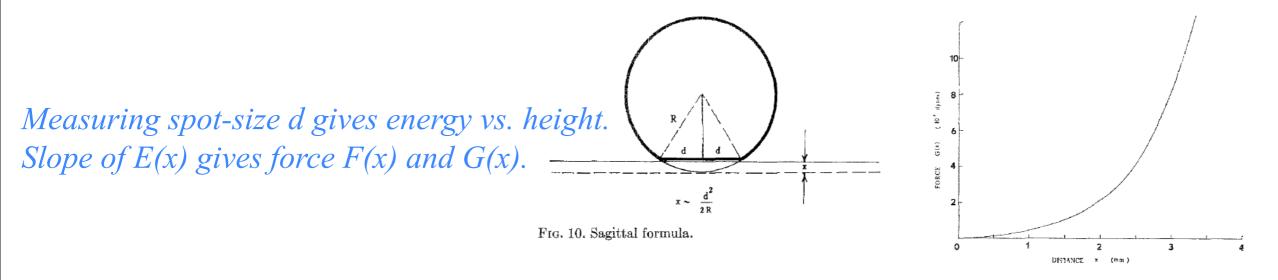
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The engineering curves were <i>isothermal not adiabatic. *Need latter. Can do latter by dropping dyed balls and measuring spot-size.*

Collisions Involving Superballs



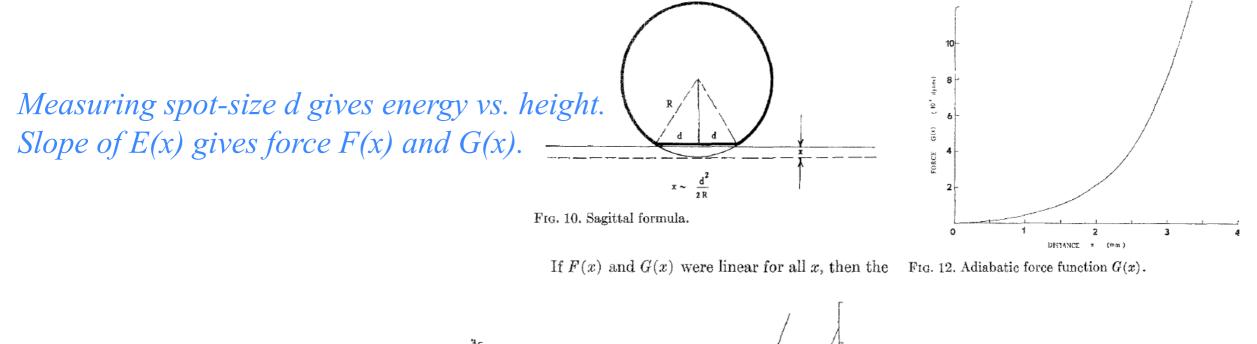
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Collisions Involving Superballs



Then fancy-pants computer theory can predict N-ball tower bounce

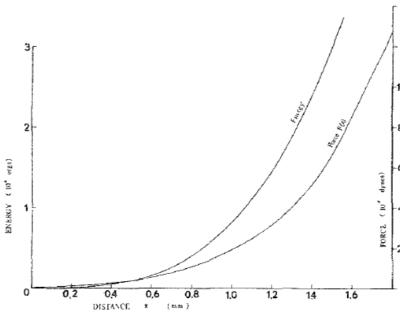


FIG. 11. Adiabatic force F(x) and energy curves for Superball.

A story of USC pre-meds visiting Whammo Manufacturing Co.

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Collisions Involving Superballs

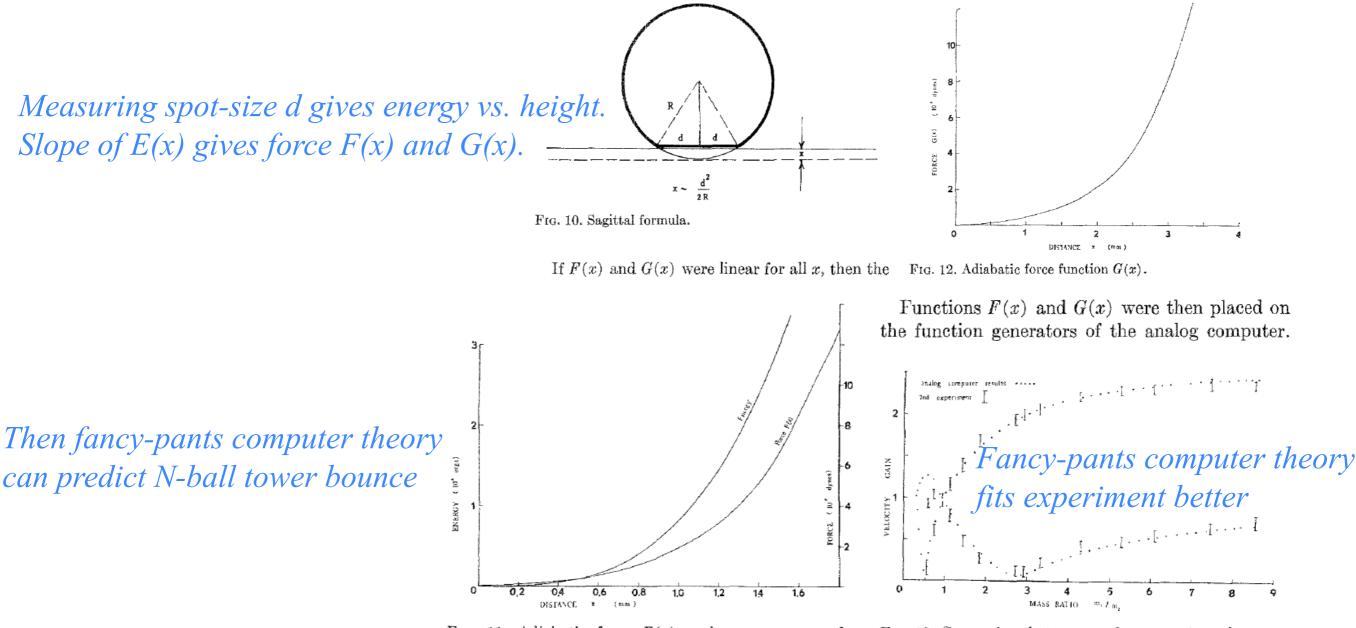
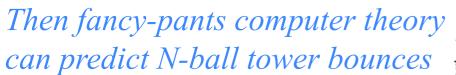


FIG. 11. Adiabatic force F(x) and energy curves for Superball.

FIG. 13. Comparison between analog computer gain curves and second experiment.

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Functions F(x) and G(x) were then placed on the function generators of the analog computer.



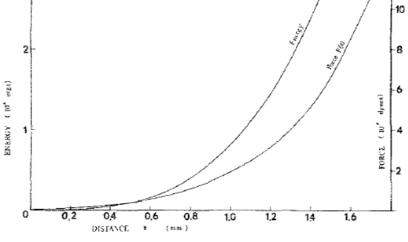


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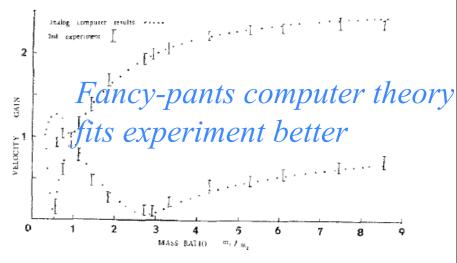
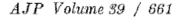
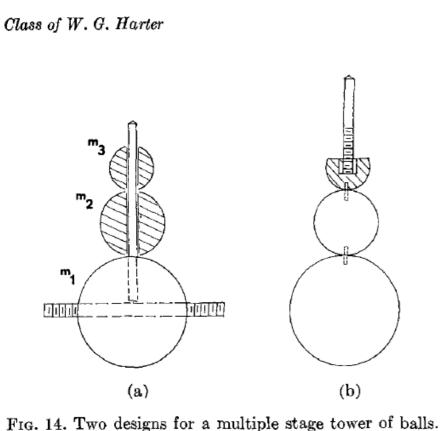


FIG. 13. Comparison between analog computer gain curves and second experiment.







(a) Large number of balls can slide on a shaft. (b) Balls connected by small pins stand to lose appreciable amounts

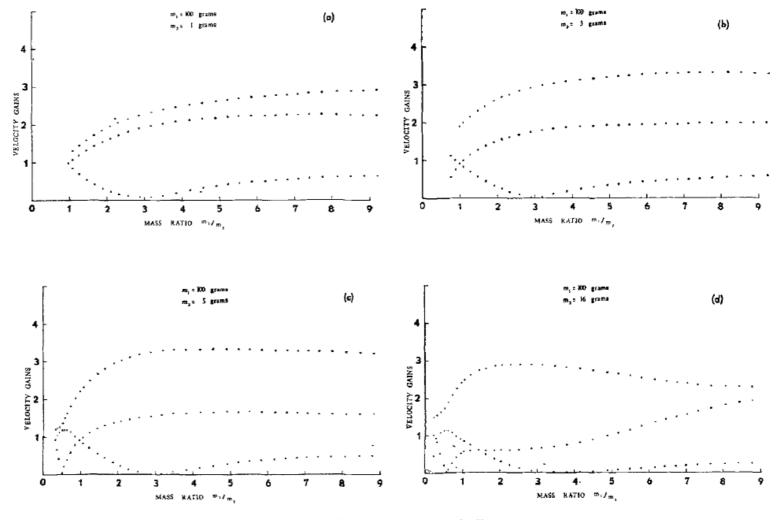


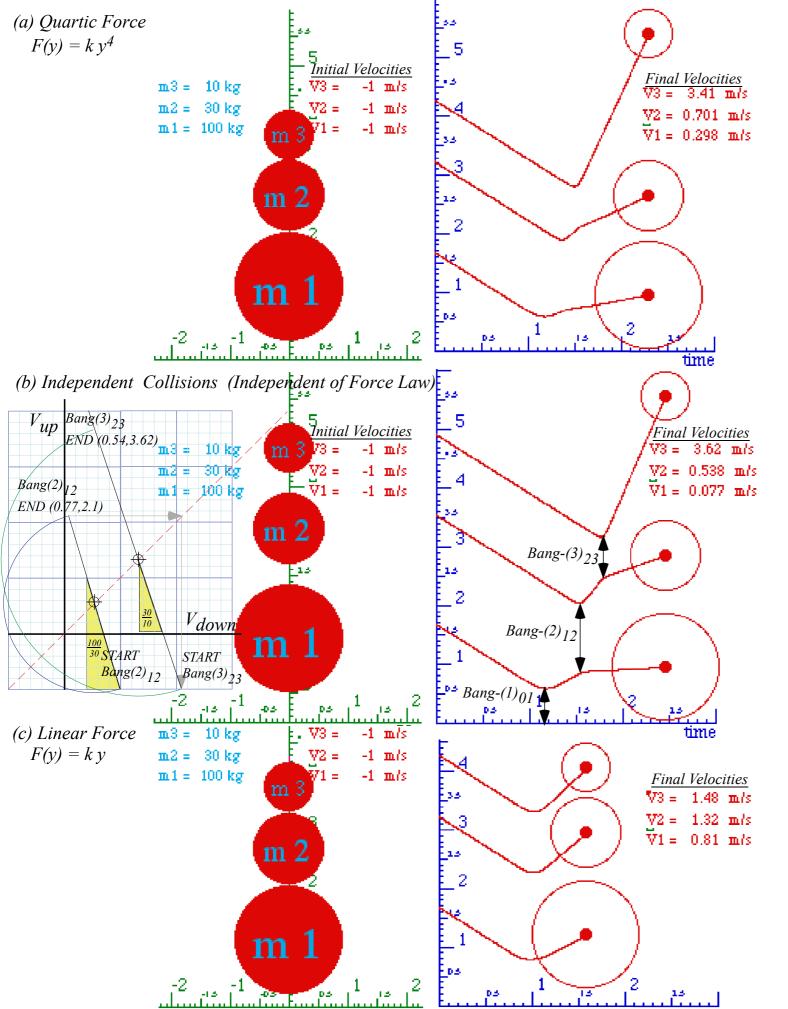
FIG. 15. (a)-(d) Analog computer output for velocity gains of three-ball system.

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of binding energy.

Geometry and dynamics of n-ball bounces Many-body 1D collisions Tuesday, September 8, 2015

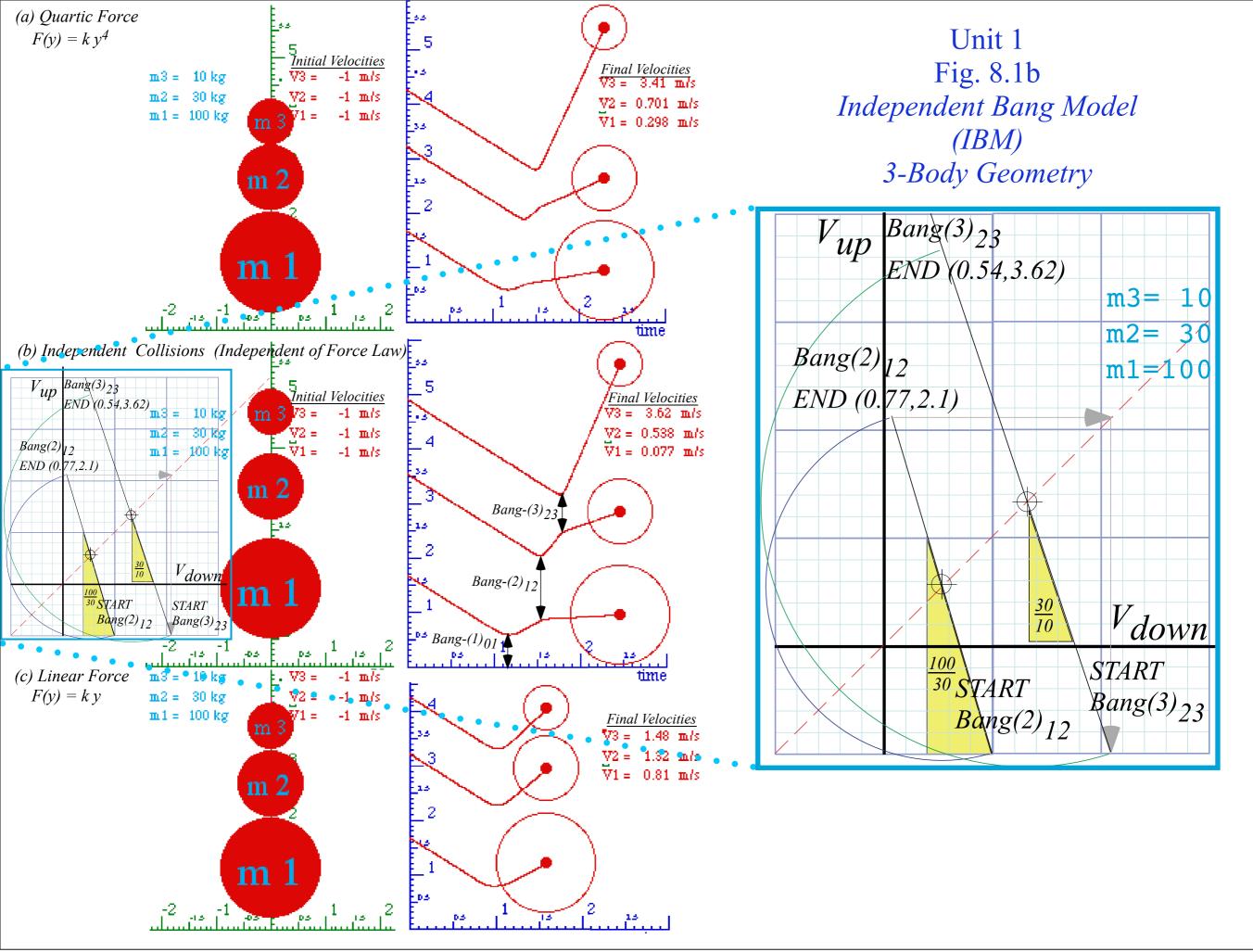
Potential energy dynamics of Superballs and related things (Simulations) Geometry and potential dynamics of 2-ball bounce (Leads to Sagittal potential analysis of 2, 3, and 4 body towers)



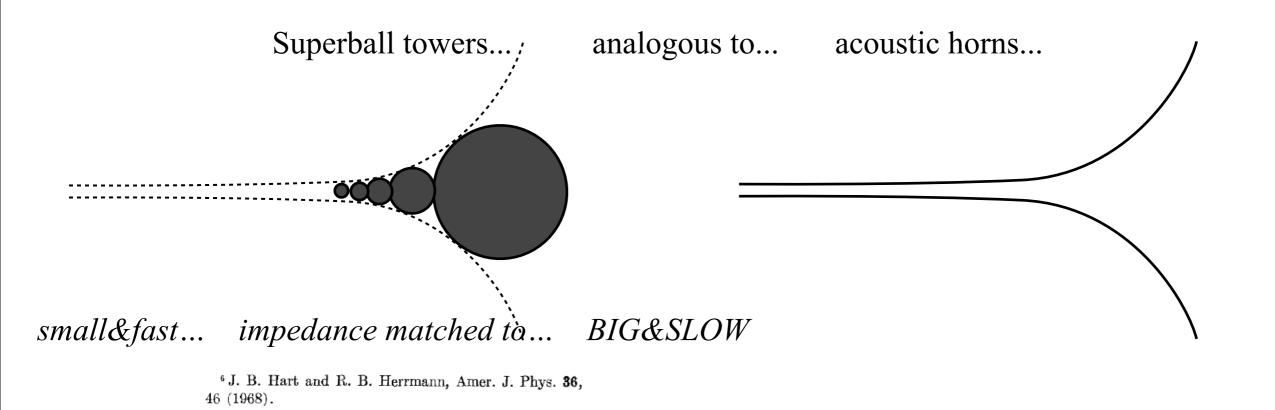
Unit 1 Fig. 8.1a-c Independent Bang Model (IBM) 3-Body Geometry

Bouncelt Simulation: 3-Ball Tower w/ Quartic Force

Bouncelt Simulation: 3-Ball Tower w/ Linear Force



Potential energy dynamics of Superballs and related things (Simulations) Geometry and potential dynamics of 2-ball bounce Geometry and dynamics of n-ball bounces Analogy with shockwave and acoustical horn amplifier Advantages of a geometric m₁, m₂, m₃,... series A story of Stirling Colgate (Palmolive) and core-collapse supernovae Many-body 1D collisions

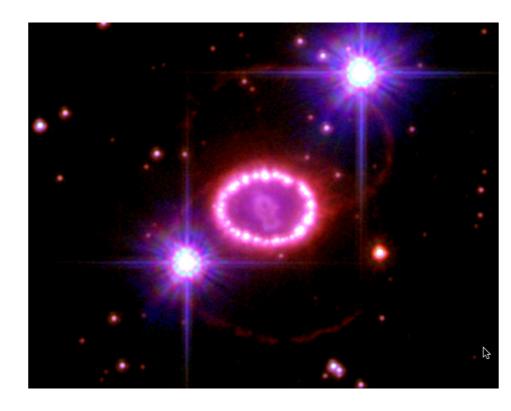


1.8.3 The optimal idler (An algebra/calculus problem)

To get highest final v_3 of mass m_3 find optimum mass m_2 in terms of masses m_1 and m_3 that does that.

Potential energy dynamics of Superballs and related things (Simulations) Geometry and potential dynamics of 2-ball bounce (Leads to Sagittal Geometry and dynamics of n-ball bounces potential analysis of 2, 3, and 4 body towers) Analogy with shockwave and acoustical horn amplifier Advantages of a geometric m₁, m₂, m₃,... series • A story of Stirling Colgate (Palmolive) and core-collapse supernovae Many-body 1D collisions

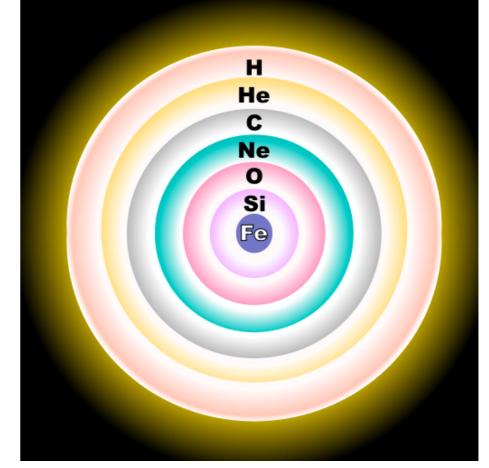
A story of Stirling Colgate (Palmolive) and core-collapse supernovae



Source Author

http://hubblesite.org/newscenter/archive/releases/2007/10/image/a/

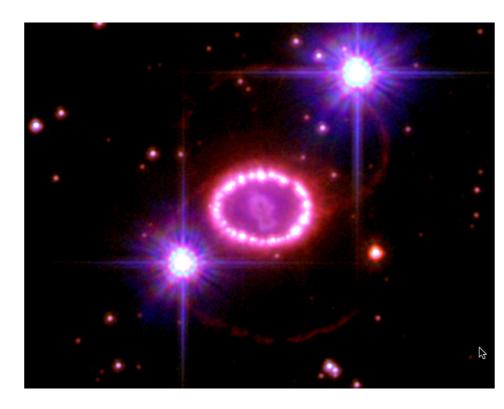
NASA, ESA, P. Challis, and R. Kirshner (Harvard-Smithsonian Center for Astrophysics)



Core-burning nuclear fusion stages for a 25-solar mass star

Process	Main fuel	Main products	25 M₀ star ^[6]		
			Temperature (Kelvin)	Density (g/cm ³)	Duration
hydrogen burning	hydrogen	helium	7×10 ⁷	10	10 ⁷ years
triple-alpha process	helium	carbon, oxygen	2×10 ⁸	2000	10 ⁶ years
carbon burning process	carbon	Ne, Na, Mg, Al	8×10 ⁸	10 ⁶	10 ³ years
neon burning process	neon	O, Mg	1.6×10 ⁹	10 ⁷	3 years
oxygen burning process	oxygen	Si, S, Ar, Ca	1.8×10 ⁹	10 ⁷	0.3 years
silicon burning process	silicon	nickel (decays into iron)	2.5×10 ⁹	10 ⁸	5 days

A story of Stirling Colgate (Palmolive) and core-collapse supernovae

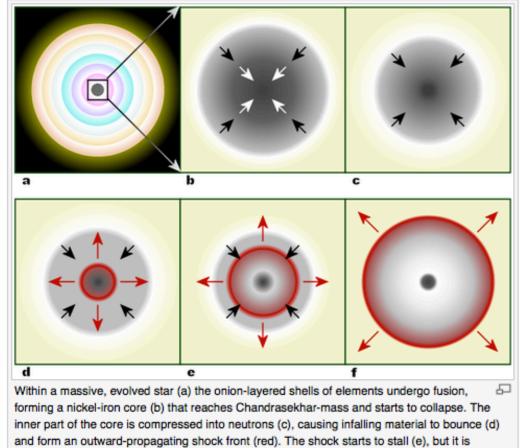


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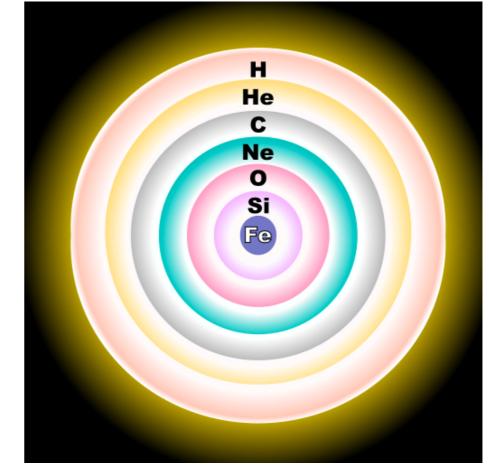
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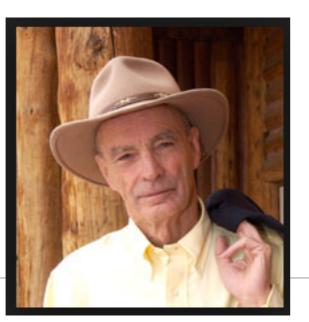
re-invigorated by neutrino interaction. The surrounding material is blasted away (f), leaving only



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a degenerate remnant.



Stirling Colgate

From Wikipedia, the free encyclopedia

Stirling Auchincloss Colgate (November 14, 1925 – December 1, 2013) was an American physicist at Los Alamos National Laboratory and a professor emeritus of physics, past president at the New Mexico Institute of Mining and Technology (New Mexico Tech),^[1] and an heir to the Colgate toothpaste family fortune.^[2] He was America's premier^[citation needed] diagnostician of thermonuclear weapons during the early years at the Lawrence Livermore National Laboratory in California. While much of his involvement with physics is still highly classified, he made many contributions in the open literature including physics education and astrophysics.^[3] He was born in New York City in 1925, to Henry Auchincloss and Jeanette Thurber (née Pruyn) Colgate.^[4]



...an amusing off-color aside story of Stirling Colgate's NMIMT resignation...

(Not told in Wikipedia!)

Quote

• "I was always enamored with explosives, and eventually I graduated to dynamite and then nuclear bombs."

Patents

Multiple-collision accelerator assembly

US 5256071 A

ABSTRACT

A device comprising several highly elastic objects is presented whose purpose is to demonstrate an unobvious consequence of fundamental laws of physics--the acceleration of an object to high speed by multiple collisions among a series of heavier objects moving at slower speed. The objects, each of different mass, are arrayed in close proximity in order of decreasing mass with their centers lying along a straight line. This arrangement of the assembly of objects is maintained by a constraining element which permits the assembly axis to be oriented in any desired direction and permits the assembly to be moved or manipulated as a unit in any desired way without destroying the arrangement of objects. In the preferred embodiment the elastic objects are polybutadiene balls (12), the constraining element is an interior guide-pin (10)

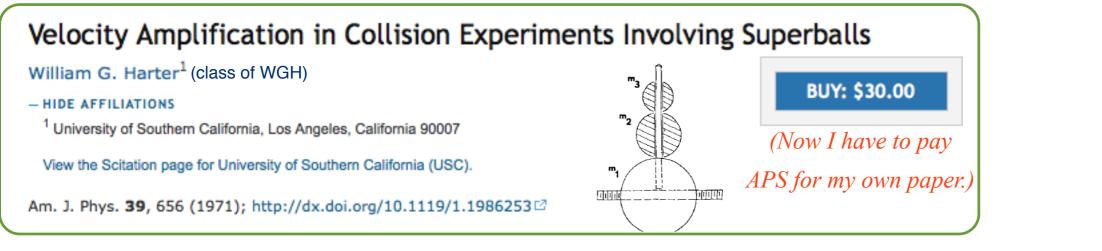
Publication number Publication type Application number Publication date Filing date Priority date ? Fee status ?	US5256071 A Grant US 07/748,804 Oct 26, 1993 Aug 22, 1991 Aug 22, 1991 Paid
Inventors	Edward W. Hones, William G. Hones, Stirling A. Colgate
Original Assignee	Hones Edward W, Hones William G, Colgate Stirling A
Export Citation	BiBTeX, EndNote, RefMan
Patent Citations (3), Refere Legal Events (7)	enced by (4), Classifications (7),

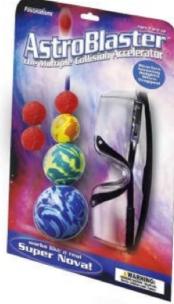
External Links: USPTO, USPTO Assignment, Espacenet

(Point allowing patent over previous 1973 proposal (4))

fastened in the largest ball and extending radially therefrom, on which the remaining balls can slide freely because of diametrical holes formed in them. In use this multiple-collision accelerator assembly is suspended in vertical orientation, with the largest ball downward, by holding the tip-end of the guide-pin which extends beyond the littlest ball. The assembly is then dropped onto a solid surface (14), the striking of which produces a sharp impulse that is transmitted from the largest ball, through the assembly, causing the littlest ball to be projected to a height many times that from which the assembly was dropped.

1st publication describing theory and experiment of this device 20 years before.





AstroBlaster Product Code: AstroBlaster Our Price: \$9.95

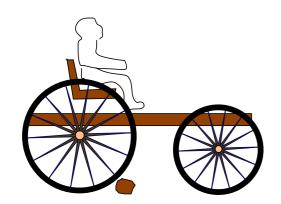
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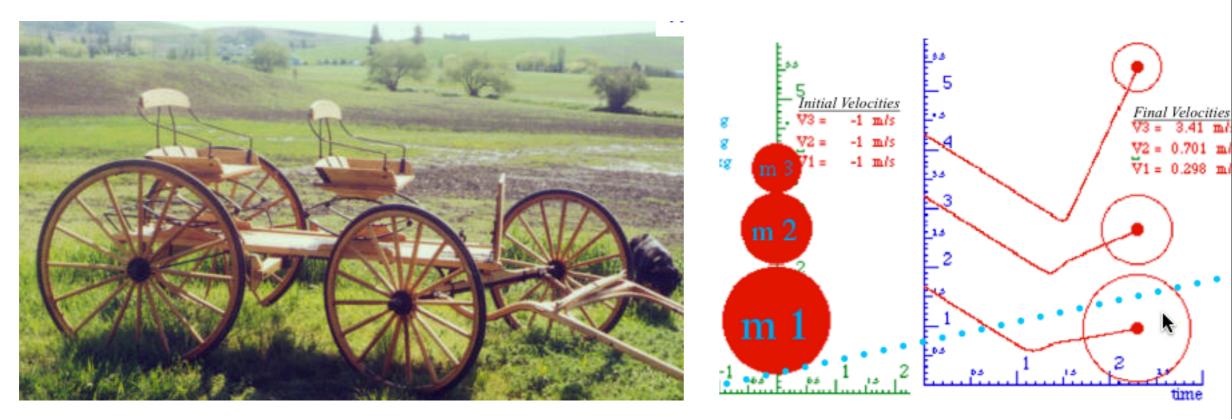


Western buckboard = ?????

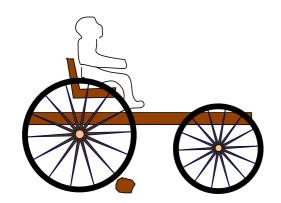


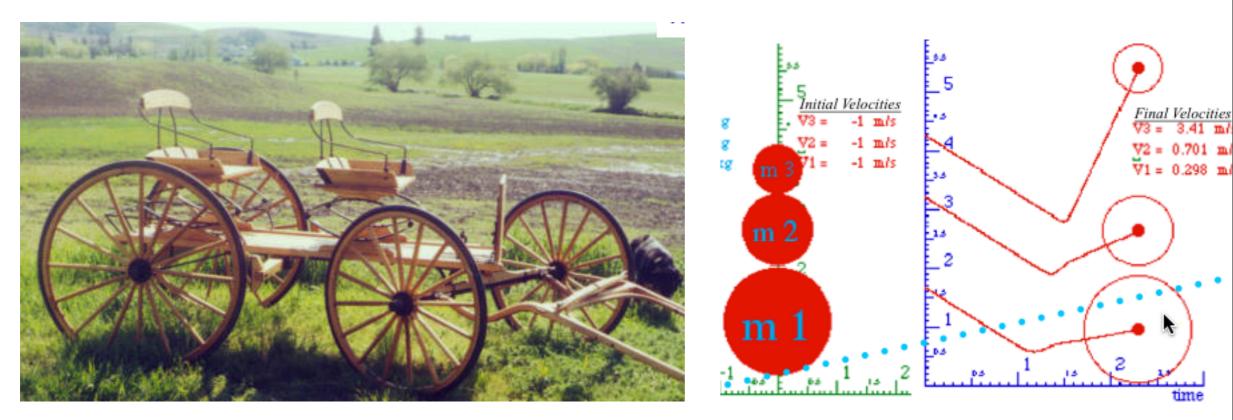
Western buckboard = ?????



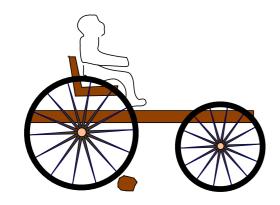


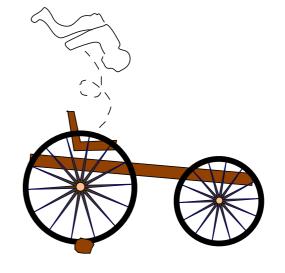
Western buckboard = 3-ball analogy



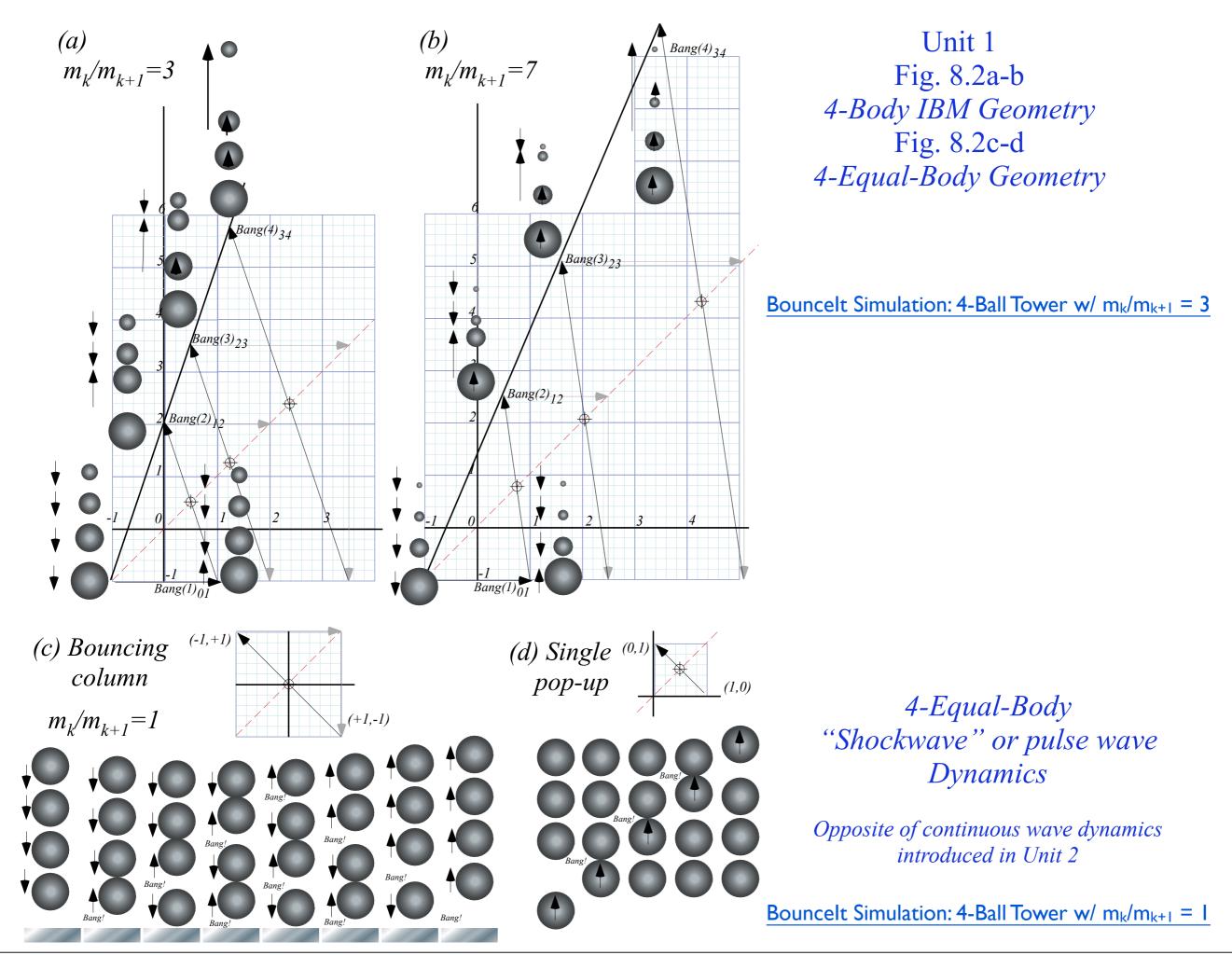


Western buckboard = 3-ball analogy Disaster!





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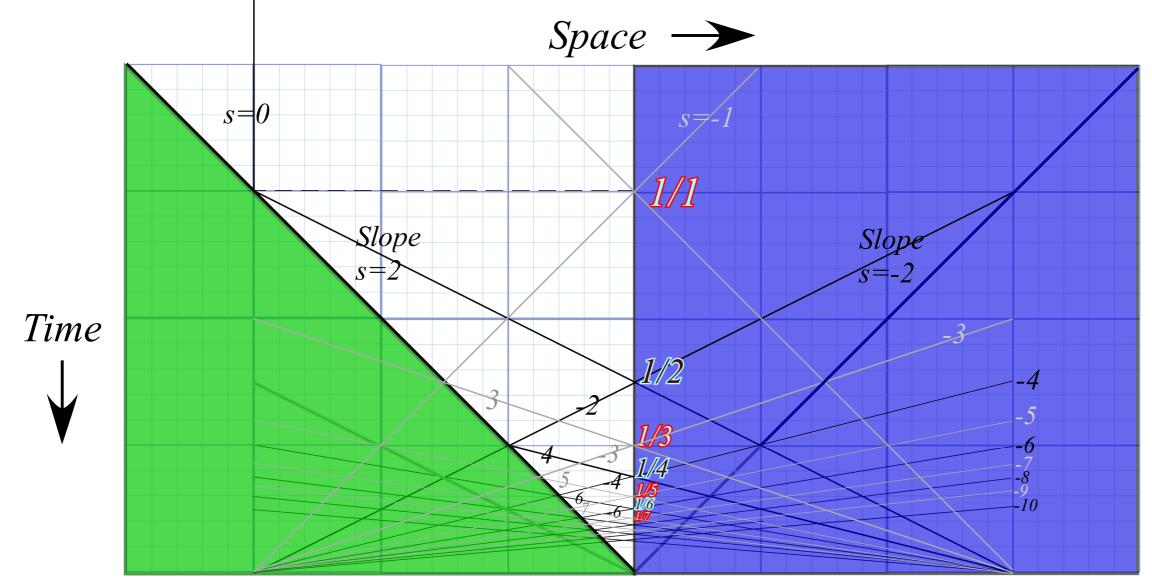


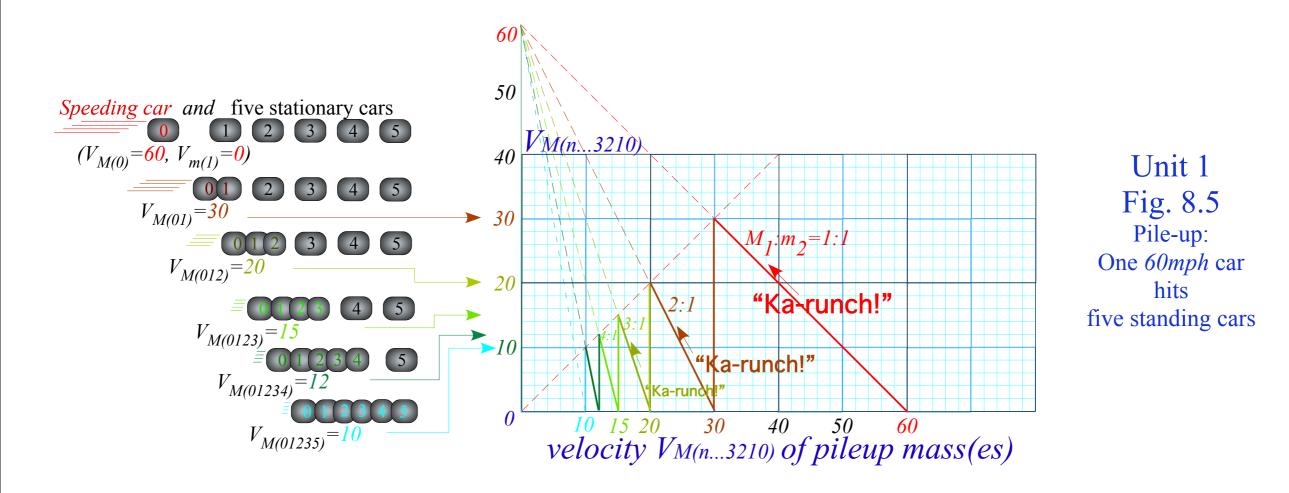
Tuesday, September 8, 2015

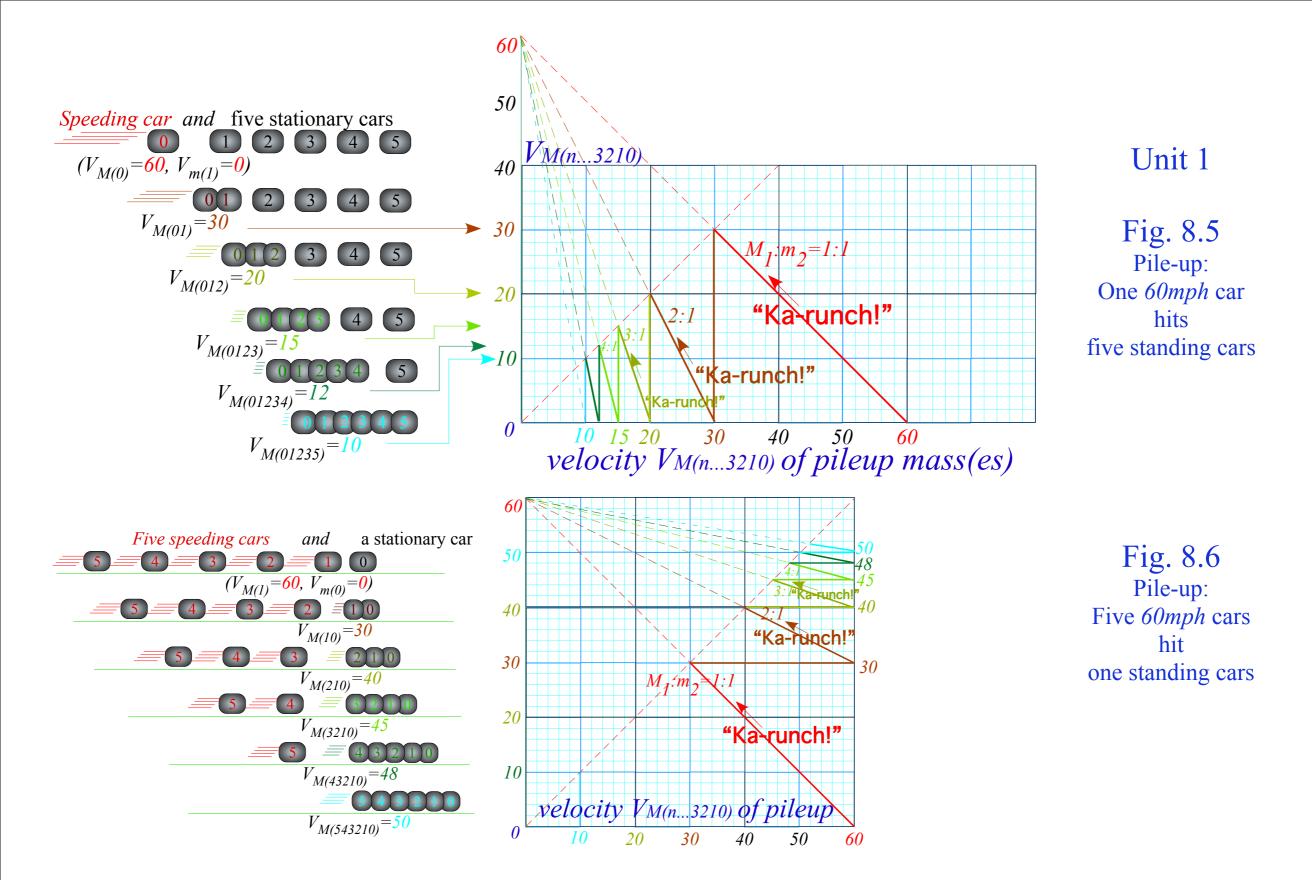
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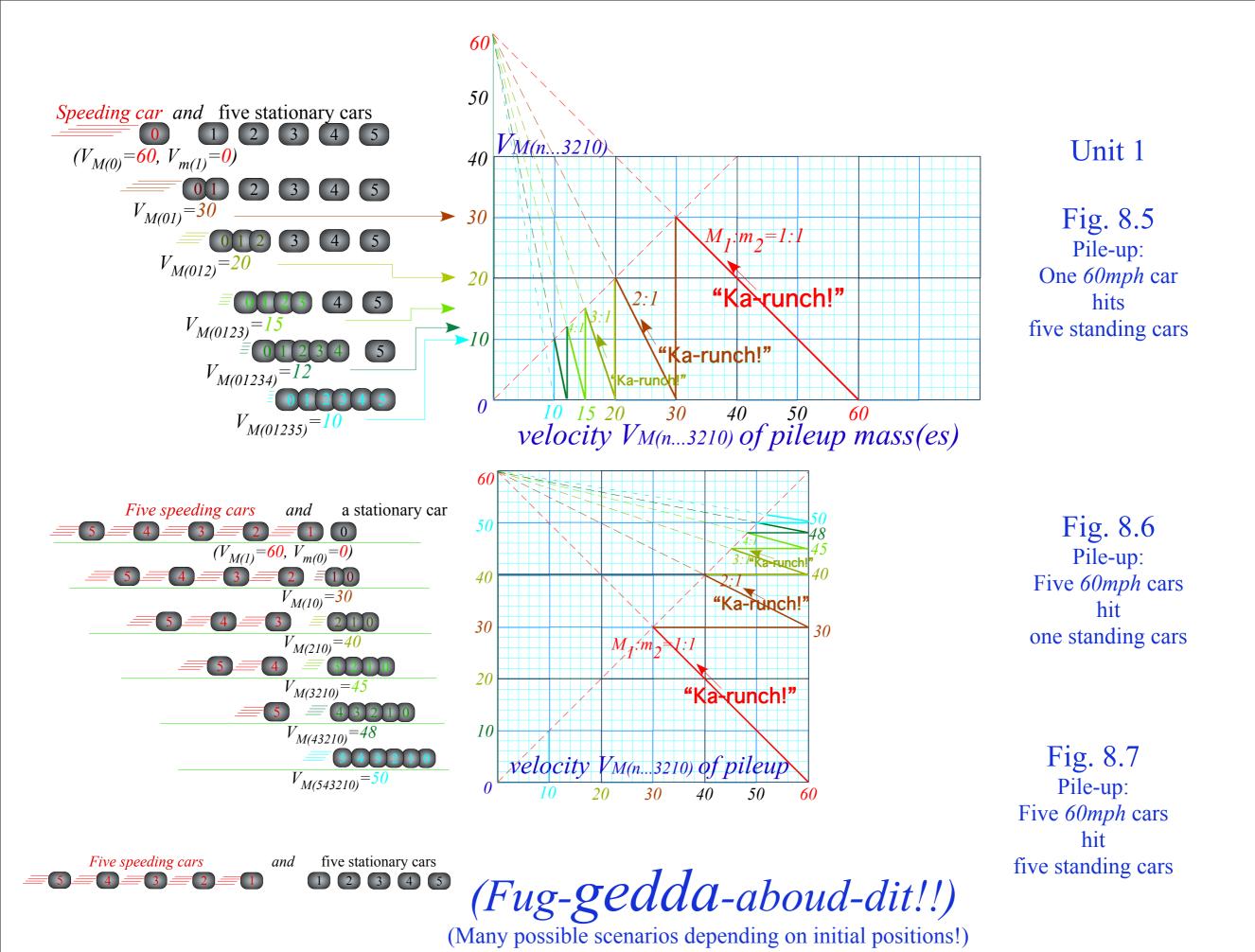
Inelastic examples: "Zig-zag geometry" of freeway crashes First recall "zig-zag" fractions of "Monster Mash" in Lect. 4

Trajectory geometry exposed (Harmonic series 1/1,1/2,1/3,1/4,...)





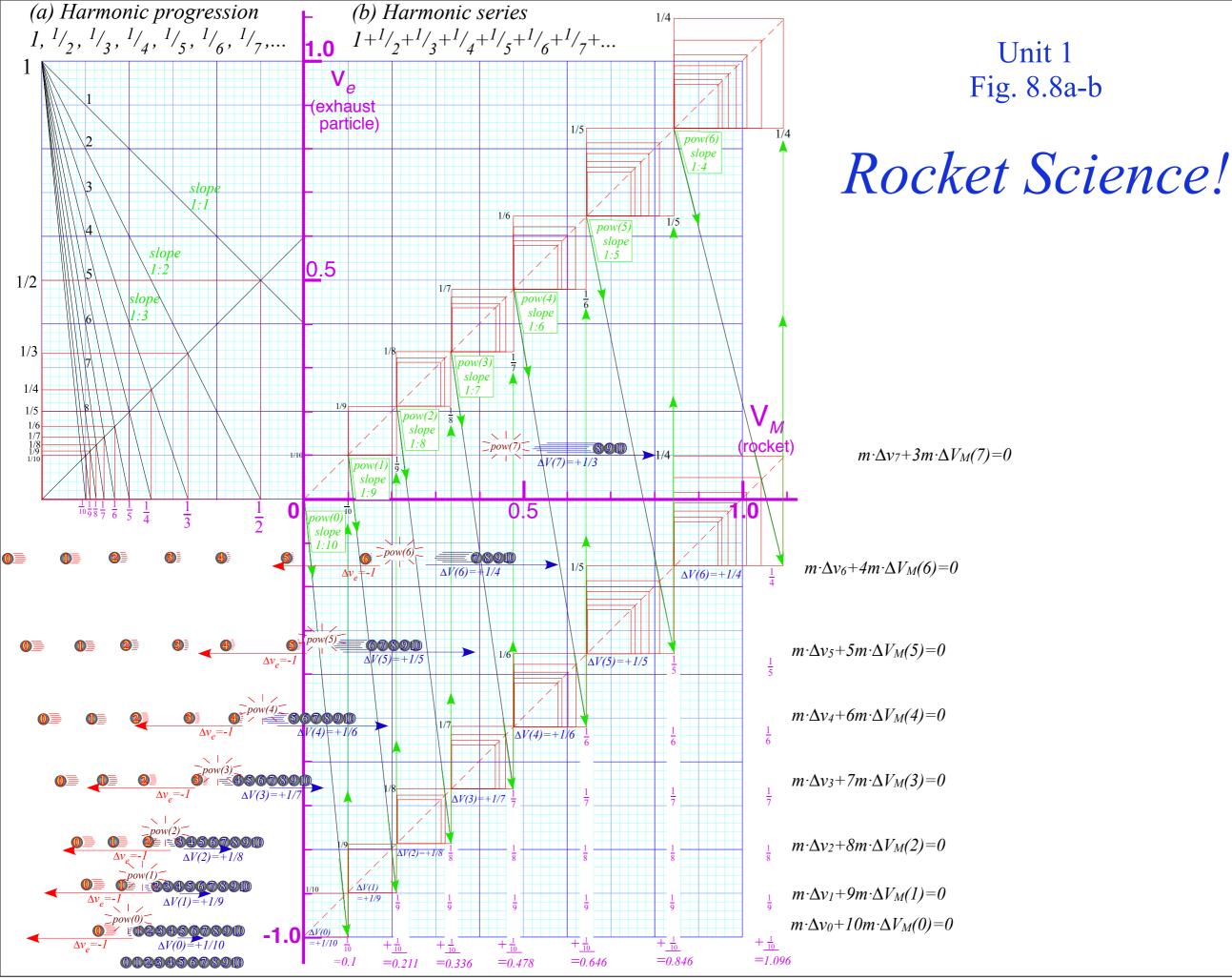




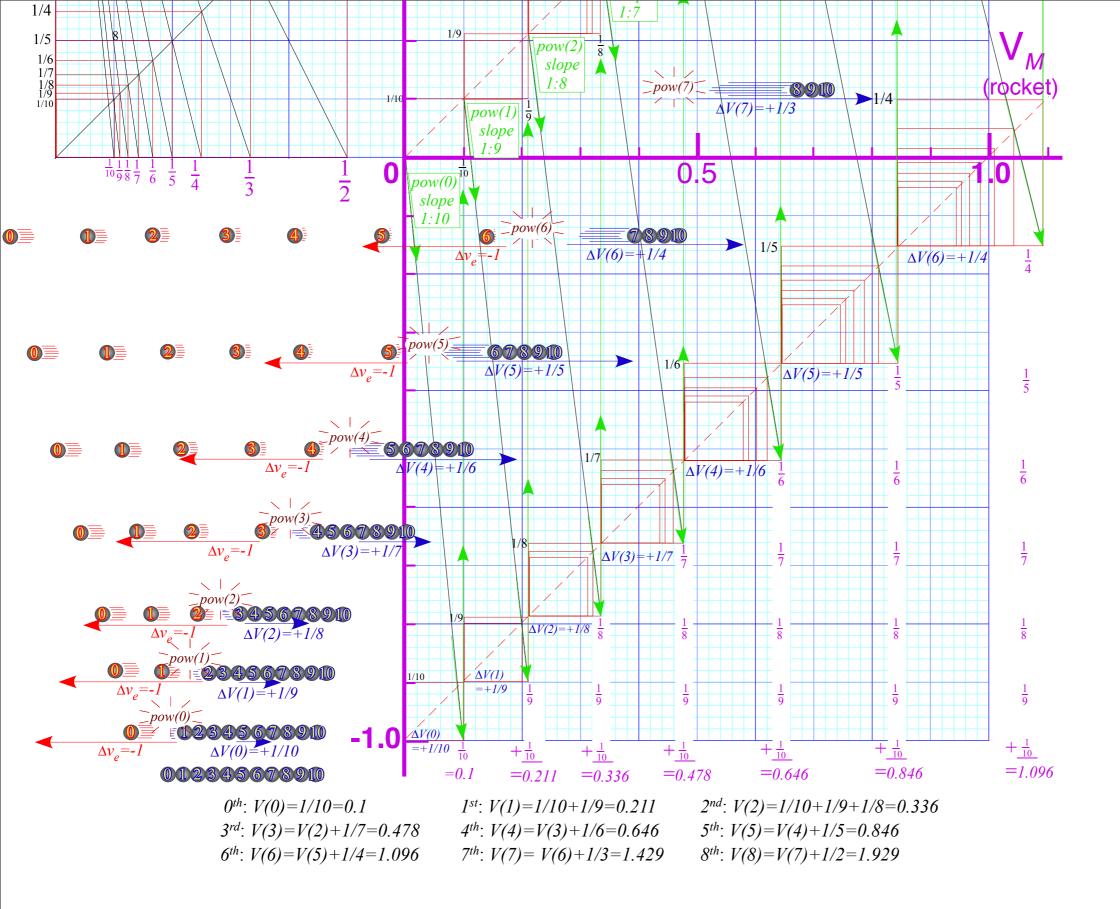
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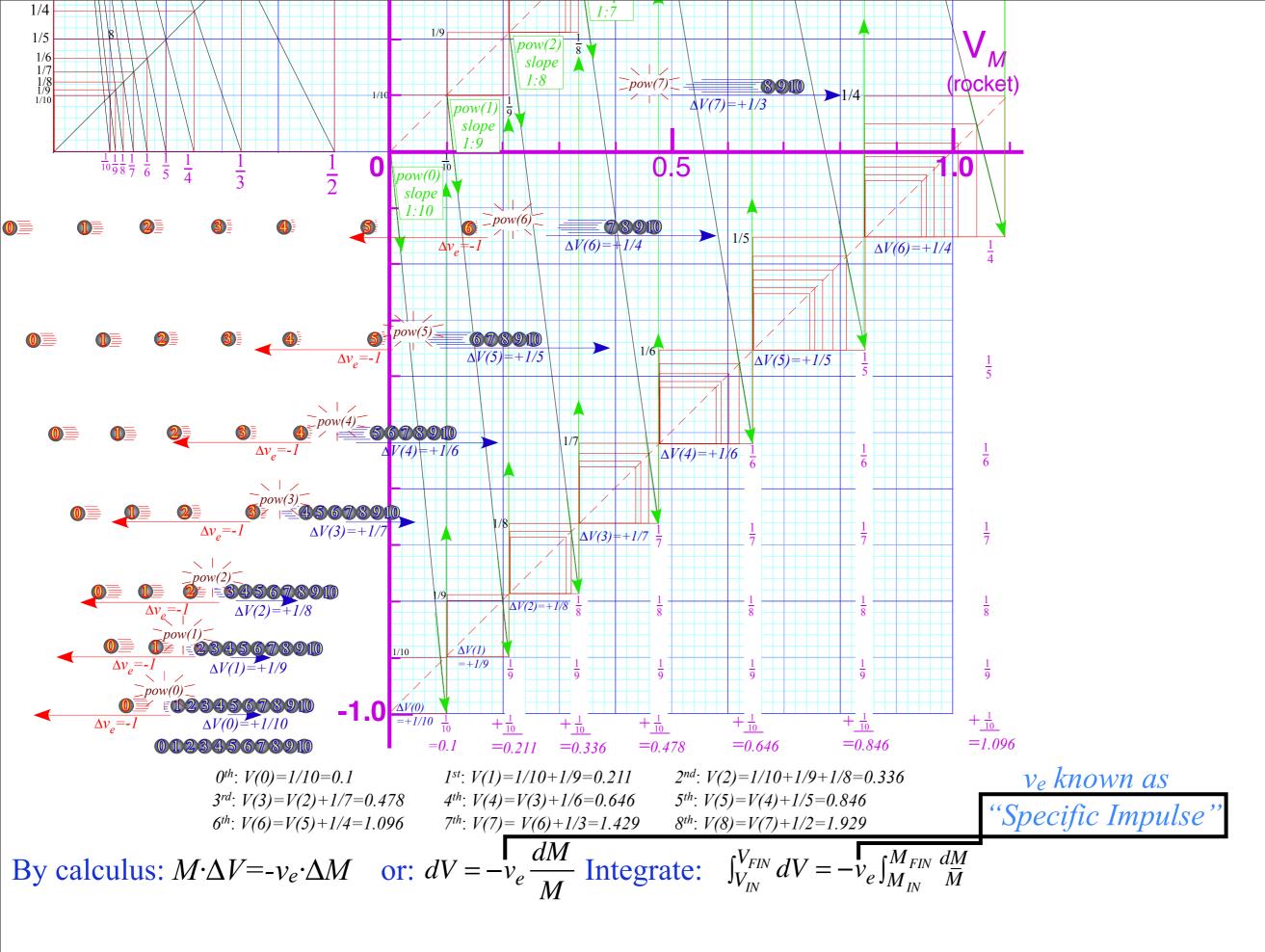
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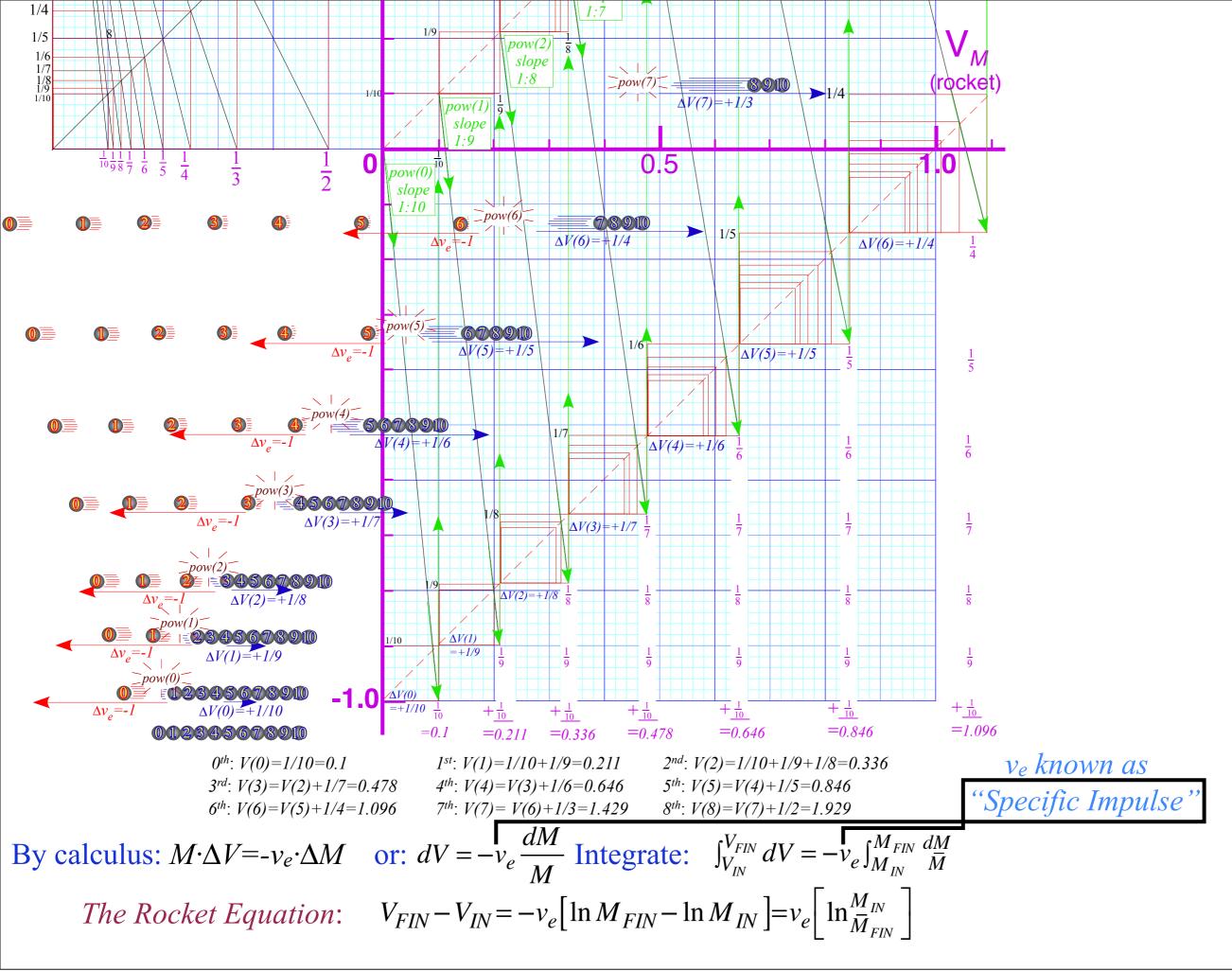
Super-elastic examples: This really is "Rocket-Science"



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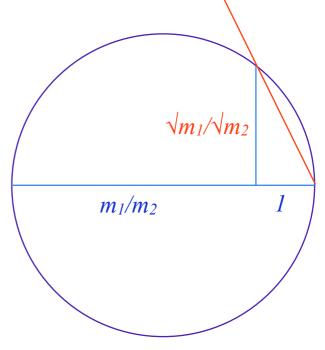


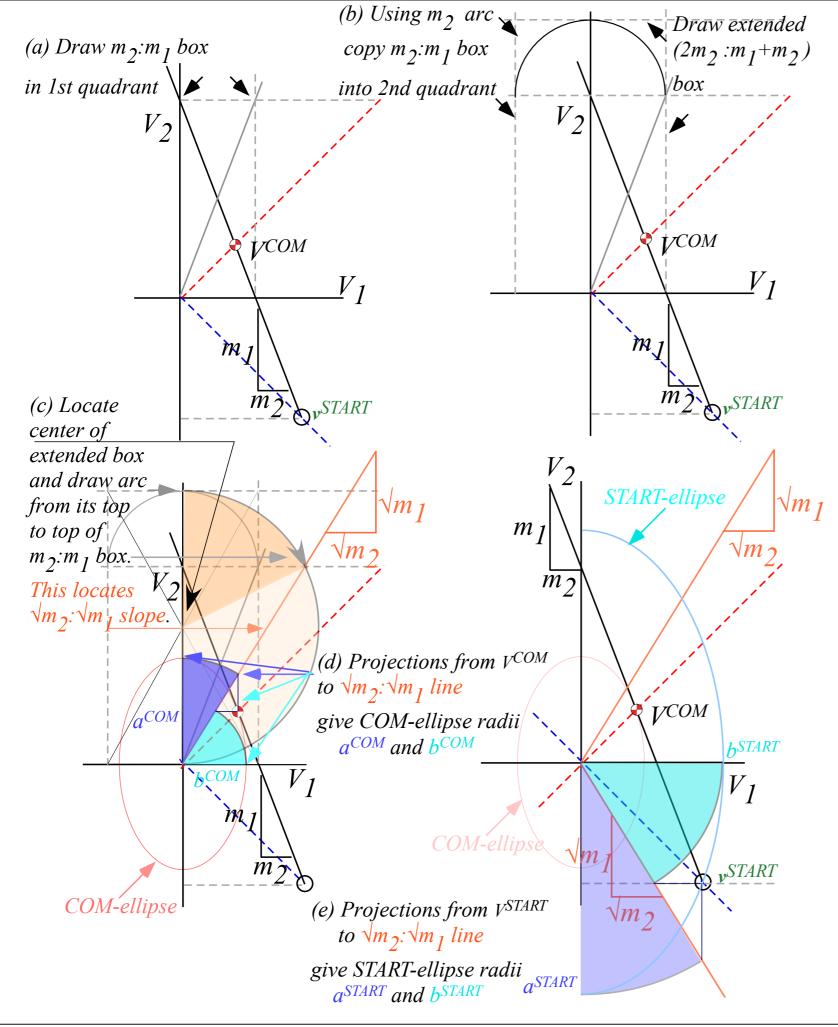




A Thales construction for momentum-energy

(Made obsolete by Estrangian scaling to circular (V₁,V₂) plots. Still, one has to construct $\sqrt{m_1/\sqrt{m_2}}$ slopes.)





Unit 1 Fig. 8.4a-d

This is a detailed construction of the energy ellipse in a Largangian (v_1, v_2) plot given the initial (v_1, v_2) .

The Estrangian (V_1, V_2) plot makes the (v_1, v_2) plot and this construction obsolete.

(Easier to just draw circle through initial (V₁, V₂).)